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### WASTE HEAT UTILIZATION FROM A DIRECT

CYCLE HIGH TEMPERATURE GAS COOLED NUCLEAR REACTOR FOR DISTRICT HEATING AND AIR CONDITIONING

BY

JOHN JOSEPH BLASE, 1947-

A THESIS

Presented to the Faculty of the Graduate School of the

UNIVERSITY OF MISSOURI-ROLLA

In Partial Fulfillment of the Requirements for the Degree

MASTER OF SCIENCE IN NUCLEAR ENGINEERING

1974

Approved by

T2952 98 pages c.1

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#### ABSTRACT

An analysis was conducted to determine the economic as well as technical feasibility of waste heat utilization from the proposed direct cycle high temperature gas cooled nuclear reactor, as designed by the General Atomic Company.

The rejected heat from this system is at considerably higher temperatures than those normally encountered in conventional steam-electric Rankine cycles. By taking advantage of these higher rejection temperatures, heat was translated into energy available to a district heating and air conditioning service. The transportation of this energy was considered to be in the form of heated and chilled water.

A refrigeration capacity on the order of 100,000 Tons and a heating capability of 5.0 x  $10^9$  BTU/hr at a distance of 70 miles was found to be a possibility.

An economic analysis using a discounted cash flow technique, indicated that most of the systems analyzed could be profitable ventures. During the operation of the district heating and air conditioning network, overall utilization of the total reactor heat generation would be in excess of 80.0 per cent.

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#### ACKNOWLEDGEMENT

The author wishes to thank Dr. D. Ray Edwards for his continued technical and financial support while at the University of Missouri-Rolla. Special thanks to Dr. Henry Wiebe whose expertise in engineering economics proved most beneficial. The author would also like to thank Dennis Blondin for his help in the review and preparation of this analysis, David Hurley for his technical competence in refrigeration systems and Glenn Schade for his computer programming assistance. Finally, appreciation to my wife, Karen, who prepared the drawings and illustrations for this work.

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#### I. INTRODUCTION

Direct cycle high temperature gas cooled reactor systems, designed for the generation of electricity, will operate at a cycle efficiency of 37.0 per cent.<sup>[11]</sup> The remainder of the energy will be rejected as waste heat to the local environment by way of dry air cooling towers.<sup>[11]</sup> The temperature range of the rejected heat in any one system is between 472°F and 130°F at the precooler stage of the cycle.

The objective of this analysis is to determine an economically and technically feasible method of utilizing the energy rejected from this cycle. The energy is transported to the load center by means of pumped hot and/or cold water, depending on the requirements of the season.

The rejected heat from the reactor cycle provides hot water for the heating system and dry saturated steam for a series of steam jet refrigeration units, that will in turn chill the water for the cooling season.

An investigation into the economic aspects of financing the purchase and construction costs, determination of the operating costs, depreciation allowances, and resultant revenues is of the utmost importance, if the ultimate feasibility of the system is to be determined. A discounted cash flow technique is employed in this aspect of the analysis.

A FORTRAN IV computer program (HOTNCOLD) was developed to assist in the technical and economic analysis of the district heating and cooling networks.

#### II. METHOD

#### II.A. Outline of Procedure

The method used in defining and analyzing the district heating and cooling system is as follows:

- Briefly describe the direct cycle high temperature gas cooled reactor thermal cycle.
- 2. Analyze the energy source using the following procedure.
  - a. determine the heat rejected from the reactor cycle.
  - b. determine the heat available to the district heating system at the plant site.
  - c. briefly describe the steam jet refrigeration cycle.
  - d. determine the quantity of 100 psig steam available to the steam jet refrigeration units.
  - e. determine the refrigeration available to the district cooling network at the plant site.
- Determine the quantity of heat and refrigeration actually delivered to the load center.
  - a. conduct a heat transfer analysis to determine the amount of heat and refrigeration that arrives at the load center. Use the computer program HOTNCOLD (routine TECH) to determine this delivery capability.
- 4. Conduct a discounted cash flow analysis.
  - a. determine the installed cost of each operating system.b. determine the operating costs of each operating system.

 determine a cumulative present worth schedule for a thirty year life.

#### II.B. The Motive Energy Source

As a starting point the energy source of the system must be considered. This source will provide the input energy required to heat and chill the water, that will in turn transport the energy to a district heating and cooling network.

Figure 1.0 is a typical schematic representation of a direct cycle high temperature gas cooled reactor, as designed by General Atomics International.<sup>[11]</sup> The precooler section is of particular interest here, since it is this area where nearly all the rejected heat of the cycle appears. The temperature of the rejected heat is relatively high when compared to the typical rejection temperatures encountered in conventional steam Rankine cycle. In this system the temperature drop across the precooler ranges from 470°F at the entrance of the precooler to 130°F at the exit; whereas, in the Rankine steam cycle condenser rejection temperatures would be around 105°F. For the case investigated herein a reactor with an electrical power output of 1100 MWe and a cycle efficiency of 37 per cent was chosen as being typical of design considerations at this time.<sup>[11]</sup>



Fig. 1.0. Direct Cycle High Temperature Gas Cooled Reactor. [11]

II.B.1. Thermal balance on the precooler section to determine the steam available to the refrigeration units

Figure 2.0 is a schematic representation of a steam generator acting as the heat rejection point for the precooler stage of the cycle. The steam generator is designed such that helium can transfer heat through a temperature range of 472°F to an exit temperature of 103°F. This heat is transferred to water entering the steam generator at 80°F and exiting as dry saturated steam at 100 psig and a temperature of 338°F. What follows is a thermal balance on the steam generator to determine the mass rate of flow of 100 psig dry saturated steam that is available to the refrigeration units.



Fig. 2.0. Precooler as Steam Generator.

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Where

m1 = incoming and exiting mass rate of flow of the helium (lbm/hr) m2 = incoming and exiting mass rate of flow of either the water or steam (lbm/hr) h1 = incoming enthalpy of the helium (BTU/lbm) h2 = incoming enthalpy of the water (BTU/lbm) h3 = exit enthalpy of the helium (BTU/lbm) h4 = exit enthalpy of the steam (BTU/lbm)

Performing an energy balance:

$$\dot{m}_1 h_1 + \dot{m}_2 h_2 = \dot{m}_1 h_3 + \dot{m}_2 h_4$$
 (1)

rearranging

$$\dot{m}_1(h_1 - h_3) = \dot{m}_2(h_4 - h_3)$$
 (2)

However, it is known that the left hand term in Equation (2) represents the rejected heat from the cycle. Thus,

$$Q_{r} = \dot{m}_{2} (h_{4} - h_{3})$$
(3)

also

$$Q_{\rm th} = Q_{\rm r} + Q_{\rm e} \tag{4}$$

and

$$Q_{e} = Q_{th}^{N} C_{ty}$$
(5)

Substituting (5) in (4),

$$Q_{r} = \frac{Q_{e}}{N_{cv}} - Q_{e}$$
(6)

where

 $Q_r$  = rejected thermal energy (BTU/hr)  $Q_{th}$  = total energy output of the reactor (BTU/hr)  $Q_e$  = total electrical energy generated (BTU/hr)  $N_{cy}$  = cycle efficiency

hence from (6) and (3) we have:

$$\dot{m}_2 = \frac{Q_r}{h_4 - h_3}$$
 (7)

from (6)  $Q_r$  may be determined:

$$Q_e = 1100 \text{ MWe}$$
  
 $N_{cy} = .37$   
 $Q_r = \frac{(1100 \text{ MWe})(3.414 \times 10^6)\text{ BTU/hr} - \text{MWe}}{.37}$   
 $- (1100 \text{ MWe})(3.414 \times 10^6 \text{ BTU/hr} - \text{MWe})$   
 $Q_r = 6.394 \times 10^9 \text{ BTU/hr}$ 

For the refrigeration system that was selected, 100 psig dry saturated steam is required.<sup>[20]</sup>

Then at 115 psia saturated:

$$h_4 = 1189.6 \text{ BTU/lbm}$$

The water entering the steam generator is at 70°F then:

$$h_3 = 38.025 \text{ BTU/lbm}$$

solving for the mass rate of flow from (7):

$$\dot{m}_{2} = \frac{6.394 \times 10^{9} \text{ BTU/hr}}{(1189.6 - 38.025) \text{ BTU/lbm}}$$
$$\dot{m}_{2} = 5.55 \times 10^{6} \text{ lbm/hr}$$
(8)

II.C. 40°F Water Available to the System

The energy in the steam calculated in section II.B.1 will act as the motive energy source for a steam jet refrigeration cycle.

#### II.C.l. Description of the cycle

Water is used as the working fluid in this system. Figure 3.0 is a schematic representation of the refrigeration unit.<sup>[20]</sup> The evaporator, as in any refrigeration system, is the point at which the actual refrigeration takes place.

Water is evaporated under low pressure thereby cooling the water returning from the load. In order to maintain a sufficiently low pressure in the evaporator, water vapor must be continuously removed from the evaporator. Vapor is removed by entraining evaporator



Fig. 3.0. Schematic of the Steam Jet Cycle.

vapor with a supersonic flow of steam from the jet nozzle. Steam leaves the jet nozzle at supersonic velocities and requires a back pressure usually between 20 and 100 psig. The supersonic flow entrains the evaporator vapor at a ratio between 2.0 lbm motive steam per lbm evaporator vapor and 3.0 lbm motive steam per lbm of evaporator vapor. The mixture moves at supersonic velocities through the mixing section at constant pressure to the throat where a shock wave is formed. The mixture compresses through the wave and is returned through the diffuser to the condenser at a higher pressure. Liquid water is pumped from the condenser to the boiler to create motive steam and some is valved to the evaporator as make up water. The cycle is now repeated to maintain a sufficiently low temperature at a continuous rate.

# II.C.2. Refrigeration available at the plant site

The amount of refrigeration may now be determined by the use of a parametric graph.<sup>[20]</sup> Rather than solve the steam jet thermodynamic cycle to determine the refrigeration available, graphs plotting the parameters governing the thermodynamic cycle of the steam jet units are used. Figure 4.0 is a plot of the parameters that govern the operation of the steam jet cycle for standard manufactured units.<sup>[20]</sup> In this figure the parameters of condenser temperature, condenser water flow rate, booster steam consumption and chilled water temperatures are plotted in their relationships to each other at a constant steam back pressure of 100 psig.

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For this case a condenser temperature of 100°F is typical for summer operation and a required chilled water temperature of 40°F is selected. Water in this temperature range is desirable due to the dew point requirements of humidity control. Then from Fig. 4.0

at 
$$T_c = 100^{\circ}F$$
  
 $T_{cw} = 40^{\circ}F$ 

it is found that

1.0 Tons of refrigeration are available for every
27.5 lbm/hr of 100 psig. dry saturated steam
moved through the jet nozzle.

where

$$T_{c} = condenser temperature$$
  
 $T_{cw} = chilled water temperature$   
 $RA = \frac{m_{2}}{SRA}$ 

where

RA = refrigeration available (Tons)
SRA = specific refrigeration available

thus

$$RA = \frac{5.55 \times 10^6 \text{ lbm/hr}}{27.5 \text{ lbm/hr} - \text{Ton}}$$



Fig. 4.0 Steam Jet Cycle Parameters

$$RA = 2.05 \times 10^5$$
 Tons

in terms of BTU/hr this would be

RA = 
$$(2.02 \times 10^5 \text{ Tons}) \times (12000 \text{ BTU/hr} - \text{Ton})$$
  
RA =  $2.424 \times 10^9 \text{ BTU/hr}$ 

II.C.3. Cooling water available to the pipeline

Consider the thermal balance on the cooling unit given in Fig. 5.0, with water returning from the load, entering the refrigeration unit, being chilled, then returned to the load.



Fig. 5.0. Cooling Unit Thermal Balance.

where

 $h_r$  = enthalpy of the water returning from the load (BTU/lbm)  $h_1$  = enthalpy of water leaving the refrigeration unit

Performing a thermal balance yields:

$$RA = \dot{m}_{r}h_{r} - \dot{m}_{r}h_{1}$$
$$\dot{m}_{1} = \frac{RA}{h_{r} - h_{1}}$$
$$\dot{m}_{1} = \frac{2.424 \times 10^{9} \text{ BTU/hr}}{(28.06 - 8.027) \text{ BTU/lbm}}$$
$$\dot{m}_{1} = 1.21 \times 10^{8} \text{ lbm/hr}$$

II.D. 200°F Water Available to the System

It must now be determined how much hot water may be delivered from the plant at a temperature of 200°F.



Fig. 6.0. Thermal Balance for Heating System.

where

m<sub>w</sub> = mass rate of flow of heated water available to the system (lbm/hr) h<sub>w</sub> = enthalpy of the water returning to the plant (BTU/lbm) h<sub>lw</sub> = enthalpy of the water leaving the plant and returning to the load (BTU/lbm)

Performing an energy balance:

$$Q_r = \dot{m}_w h_{1w} - \dot{m}_w h_w \tag{12}$$

$$\dot{m}_{w} = \frac{Q_{r}}{h_{lw} - h_{w}}$$
(13)

Determining the enthalpies  $h_w$  and  $h_{lw}$  from the steam tables at the given temperatures and substituting these values in (13) we have:

$$m_{W}^{\bullet} = \frac{6.394 \times 10^9 \text{ BTU/hr}}{(168.09 - 117.95) \text{ BTU/lbm}}$$

$$m_w = .910 \times 10^8$$
 lbm/hr

It is now known that 0.910 x  $10^8$  lbm/hr of 200 $^{\circ}$ F water and 1.210 x  $10^8$  lbm/hr of 40°F water is available to the pipeline system.

#### III. HEAT TRANSFER AND PRESSURE DROP CALCULATIONS

At this point the energy available to the system in the form of heated and chilled water is known. However, since the energy must be transmitted over some distance to the load center, additional factors affecting the actual quantity of energy delivered to the load center must be considered. These factors include; pressure drop calculations as a function of linear water velocity and pipe diameter, and heat transfer through the pipe over the distance to the load.

# III.A. Pipeline Pressure Drop Calculations

For a given size pump rated for a fixed horsepower, the proper diameter pipe must be matched to the mass rate of flow at which the pump is rated. This will be done for various diameter pipes by the following procedure.

- 1. Select the size of the pump.
- The maximum mass rate of flow has been determined in section II.
- 3. Determine the linear velocity of the water in the pipe.
- 4. Determine the pressure drop for a specific diameter linear velocity and friction factor in the pipe.
- 5. Determine the distance between the pumps in the pipeline.

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III.A.l. Pressure drop per mile of pipe

$$DP = \frac{(f) (SV) (5280 \text{ ft/mile})}{D} \frac{G}{10000}^{2}$$
(14)

where

III.A.2. Horsepower required per mile

$$HP = \frac{(A) (H)}{36000}$$
(15)

where

HP = horsepower required/mile
H = pressure drop in feet of water/mile
A = mass rate of flow (lbm/sec)

and

$$DBP = \frac{HORSEPOWER \text{ OF PUMP SELECTED}}{HP}$$
(16)

where

DBP = distance between pumps (miles)

III.B. Pipeline Heat Transfer Calculations

There are two important determinations to be made at this point in the analysis.

 Determine the heat transfer in or out of the pipeline for a given distance.

2. Determine the energy addition to the water by the pumps. Consider the schematic in Fig. 7.0 representing a pipeline with

a series of pumps.



Fig. 7.0. Pipeline Schematic.

Water enters pump  $P_1$  at mass flow rate  $\dot{m}$  lbm/hr. The energy added across the pump would be:

$$h'_{w} = h_{w} + \frac{HP}{m}$$
(17)

where

 $h_w$  = internal energy of the water before entering pump  $P_1$ 

HP = power output of the pump (BTU/hr) h' = internal energy of the water after the pump

Immediately following the pump  $P_1$ , energy will begin to flow across the wall of the pipe if the ambient temperature is different from that of the water in the pipe (this will be the case in most circumstances). As the water moves downstream from the pump heat will transfer out or into the pipe, as a result of this heat flow the temperature of the water will be a different value from one instant to the next. This fact will in turn effect the rate of heat transfer in or out of the pipe, because the rate of heat transfer is determined by the temperature difference across the pipe. It is possible to approximate the actual case by assuming the temperature of the water to be essentially constant for very small subsections (S<sub>p</sub>) of the distance between the pumps (L).

These calculations would be carried out by first determining the rate of heat loss per unit length for a constant temperature difference.

Consider Fig. 8.0 which is a cross sectional representation of an insulated pipe buried in the ground. The steady state heat transfer per unit length is given by:<sup>[5]</sup>

$$Q_{a} = \frac{2 \left( \left( T_{i} - T_{G} \right) \right)}{\frac{1}{h_{1}r_{1}} + \frac{\ln \left( r_{2} - r_{1} \right)}{k_{p}} + \frac{\ln \left( r_{3} - r_{2} \right)}{K_{I}} + \frac{\ln \left( r_{4} - r_{3} \right)}{K_{g}}$$
(18)

where





$$h_{1} = \frac{(NU_{d})(k_{w})}{2r_{1}} = \text{the film coefficient}$$
(19)

and

$$NU_{d} = Nusselt number$$

$$= .023(R_{e}d) \cdot {}^{8}(Pr)^{B}$$

$$B = .4 \text{ for heating the water}$$

$$B = .3 \text{ for cooling the water}$$

$$Re_{d} = Reynolds number$$

$$= \frac{V 2r_{1}}{v_{k}}$$

$$P_{r} = Prandtl number$$

$$V = water velocity$$

$$v_{k} = kinematic viscosity of the water$$

$$k_{w} = thermal conductivity of the water$$

$$T_{i} = temperature of the water$$

$$T_{G} = temperature of the ground the pipe is buried in$$

$$r_{1} = inner radius of the pipe$$

 $r_3$  = outer radius of the insulation  $r_4$  = outer radius of the soil around the pipe  $k_p$  = thermal conductivity of the pipe (BTU/hr-ft-°F)  $k_I$  = thermal conductivity of the insulation  $k_g$  = thermal conductivity of the ground  $Q_a$  = heat transfer per unit length (BTU/hr-ft)

The sequence of events used in determining the heat transfer in each section would be:

For heat transfer in section  $s_1$  Fig. 7.0:

- Determine the pump energy addition to the water by using equation (17) and find h'.
- 2. From the steam tables determine the temperature  $T_2$  (Fig. 7.0) from the value h'.
- 3. Given the ground temperature  $T_G$  (Fig. 8.0) and having calculated the water temperature  $T_1 = T_1$  use equation (18) to determine the heat transferred per unit length.
- 4. Determine the film coefficient  $h_1$  by equation (19).
- 5. Determine the heat transferred through section  $s_1$  of the pipe  $Q_a$ .
- 6. Determine the new enthalpy of the water by:

$$h''_{W} = h'_{W} + \frac{Q_{a}}{m}$$

7. Knowing h" determine the corresponding temperature  $T_2 = T_i$  from the thermodynamic tables and use this as the constant temperature for section  $s_2$ .

8. Repeat steps 1 through 7 for all sections through s until the next pump or the load center is reached.

III.C. Energy Available at the Load Center

In section III.A and III.B, the technique for determining the temperature at any point in the pipeline was discussed. Now the actual amount of energy available at the load center may be determined.



Fig. 9.0. Schematic of Pipeline Delivery System.

The three important factors involved in this analysis are:

- 1. Determination of the temperature before the load
- 2. Determination of the temperature after the load
- 3. Determination of the mass rate of flow

The temperature before the load was calculated by the technique

outlined in the previous sections and m is known. The temperature after the load, is in most instances variable, dependent on the weather conditions effecting the local requirements. For purposes of this analysis a maximum temperature differential across the load is specified.

The temperature increase across the load for the air conditioning service never exceeds 12°F. Temperature increases greater than 12°F would make humidity control difficult. The temperature change across the load for heating was chosen to be 35°F. Temperature drops greater than 35°F are possible; however, the lower the temperature entering the load center the greater the heat exchanger surfaces required to deliver an equivalent amount of energy. Since the temperature change across the load will be a function of the temperature of the water entering the load center; the temperature change across the load must also be a function of the distance from the load center.

Assumptions

 $T_{al} = 55^{\circ}F$  for the air conditioning service  $T_{al} = 150^{\circ}F$  for the heating service

where

 $T_{a1} = temperature after the load$ 

The energy left at the load would be:

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$$Q_1 = mh_{b1} - mh_{a1}$$

where

 $Q_1$  = energy removed from, or added to the load center (BTU/hr)  $h_{bl}$  = enthalpy of the water before the load (BTU/lbm)  $h_{al}$  = enthalpy of the water after the load (BTU/lbm)

#### III.D. Demonstration of Method

A computer program HOTNCOLD (subroutine TECH) was developed to utilize the type of analysis outlined in the above sections. The following input to the program was used for the systems analyzed in this investigation.

# III.D.1. Program input

Temperature drop across the load = 20°F to 35°F (heating) Temperature rise across the load = less than 12°F (cooling) Number of pipes = 2 in each direction<sup>\*\*</sup> Water mass rate of flow = variable .8 x 10<sup>8</sup> lbm/hr to .3 x 10<sup>8</sup> lbm/hr Pump size = 7000 horsepower

Thermal conductivity of the water = .338 BTU/hr-ft°F Thermal conductivity of the pipe = 25.0 BTU/hr-ft°F

two pipes were selected because there is sufficient water available to the system at full load to accommodate a two pipe system Thermal conductivity of the insulation = .13 BTU/hr-ft°F Thermal conductivity of the soil = 1.0 BTU/hr-ft°F Friction factor (Moody determination) = .015 Maximum distance to the load centre = 110 miles = 30 to 60 inches Pipe diameter Kinematic viscosity of the water = function of temperature in tabular form Prandtl Number = function of temperature in tabular form Months of heating service = 4 months (full load) Months of cooling service = 3 months (full load)

III.E. Results

The following figures are the results of the calculations done in subroutine TECH in the program HOTNCOLD.

The graphs illustrate the refrigeration or heat available at a given distance <u>PER PIPE</u>. For example it is seen from Fig. 16.0 that 51820.0 tons of refrigeration is available per delivery pipe at a distance of 100.0 miles with a 60 inch pipe and a mass rate of flow of 56.0  $\times$  10<sup>6</sup> lbm/hr of chilled water.

At the same distance from Fig. 10.0,  $1.91 \times 10^9$  BTU/hr is available to a heating load with the same mass rate of flow of water. It is known from sections II.C.2 and II.B that  $1.21 \times 10^8$  lbm of chilled water and .910 x  $10^8$  lbm/hr of heated water are actually available to the pipeline. Obviously what this means is that two pipes may be used to deliver at maximum load. When the season does not require a

strictly heating or air conditioning service, hot water may be shipped in one pipe and cold in the other.

The following symbols key the mass rates of flow on Figures 10.0 through 17.0.

ml	=	57	x	10 <sup>6</sup>	lbm/hr
m2	=	56	x	10 <sup>6</sup>	lbm/hr
m3	=	55	x	10 <sup>6</sup>	lbm/hr
m4	=	54	x	10 <sup>6</sup>	lbm/hr
m5	=	53	x	10 <sup>6</sup>	lbm/hr
m6	=	52	x	10 <sup>6</sup>	lbm/hr
m7	=	51	x	10 <sup>6</sup>	lbm/hr
m8	п	50	x	10 <sup>6</sup>	lbm/hr
m9	=	49	x	10 <sup>6</sup>	lbm/hr
mlO	=	48	x	10 <sup>6</sup>	lbm/hr
mll	=	47	x	10 <sup>6</sup>	lbm/hr
ml2	=	46	x	10 <sup>6</sup>	lbm/hr
ml3	=	45	x	106	lbm/hr



DISTANCE FROM THE PLANT (MILES)

Fig. 10.0. Heat Rate vs. Distance. ml-m8


Fig. 11.0. Heat Rate vs. Distance.m9-ml3



Fig. 12.0. Heat Rate vs. Distance. m6-m13



Fig. 13.0. Heat Rate vs. Distance. mll-ml3

![](_page_39_Figure_0.jpeg)

Fig. 14.0. Refrigeration vs. Distance from the Plant. ml-m8

![](_page_40_Figure_0.jpeg)

Fig. 15.0. Refrigeration vs. Distance from the Plant. m9-ml3

![](_page_41_Figure_0.jpeg)

Fig. 16.0. Refrigeration vs. Distance from the Plant.m6-ml3

![](_page_42_Figure_0.jpeg)

Fig. 17.0. Refrigeration vs. Distance from the Plant. mll-ml3

### IV. CASH FLOW ANALYSIS

A discounted cash flow analysis is conducted to yield an initial look at the economic desirability of undertaking the district heating and cooling project.

IV.A. Procedure

The following procedure was used to carry out the cash flow analysis:

- 1. These parameters are held at fixed levels:
  - a. The revenue rate for energy sold
  - b. The discounting rate
  - c. The cost and revenue escalation rate
  - d. Depreciation scheme for capital investments
- Decide which parameters to vary as a function of the physical system:
  - a. The installed cost of the piping system
  - b. The maintenance cost of the system
  - c. Installed cost of the refrigeration system
  - d. Operating cost of the system
  - e. Tax costs
- 3. For each unique set of parameters carry out the following:
  - a. Establish a 30 year face value cash flow table with escalation (inflation) costs included
  - b. Discount the face value table to a single present worth cash in and cash out value

c. Calculate the cumulative present worth table for the 30 year life of the project.

## IV.A.1. Rates

Discounting interest rate	= 10%					
Cost and revenue escalation (inflation)	= 4.5%					
Tax rate (income)	= 50.0%					
Bond rate of interest	= 7.0%					
Preferred stock interest	7.0%					
Common stock interest	14.0%					
Cost of heat	\$1.00/million BTU					
Cost of refrigeration	\$2.00/million BTU					
Life	= 30 years					
Property tax rate	= 2.0%					
Installed cost of pumping stations	= \$275.00/horsepower					
Installed costs of controls and						
communications	= \$1,000,000					
Pump operating costs	= \$.01/KWh					
Maintenance	= 2.0% of installed cos	t				
Installed cost of piping	= Fig. 19.0					

IV.A.2. Example cash flow

The following is an excerpt from Appendix D where a detailed development of this example is given. The following example situation was developed for cash flows in the years they occur for an initial investment of \$1000.00, maintenance expense of \$1000.00/year and \$2000.00/year revenue.

Table 1.0. \$1000 Investment Cash Flow Table.

YEAR	CI	MAINT & OP	TAX	PRTX	FC	REV	EF
l	1000.0	1045.0	402.0	20.0	91.0	2090.0	1.045
2		1092.0	445.4	20.0	91.0	2184.0	1.092
3		1141.0	485.7	20.0	91.0	2282.2	1.141
4		1192.5	524.5	20.0	91.0	2385.0	1.192
5		1246.2	561.6	20.0	91.0	2492.4	1.246
6		1302.3	597.9	20.0	91.0	2604.5	1.302
7		1360.9	627.2	20.0	91.0	2721.7	1.360
8		1422.2	657.8	20.0	91.0	2844.2	1.422
9		1486.1	689.8	20.0	91.0	2972.2	1.486
10		1552.9	723.2	20.0	91.0	3105.9	1.552

### where

CI = capital investment
FC = finance charges + dividends
= (.40 x CI x BROI)+(.30 x CI x CROI)+(.30 x PROI)
BROI = bond rate of interest
CROI = common rate of interest
PROI = preferred rate of interest
per cent bonds = 40%
per cent preferred = 30%
per cent common = 30%

```
PRTX = property taxes
 = 2.0% x CI
TAXES = income taxes
```

# IV.A.3. Depreciation scheme

The following method was used to calculate a dual declining balance depreciation scheme.

Year	Undepreciated balance	Depreciation			
1	CI(1)	$CI \times 2.0 \times SLR = dep(1)$			
2	CI(2) = CI(1) - dep(1)	CI(2) x 2.0 x SLR = dep(2)			
3	CI(3) = CI(2) - dep(2)	$CI(3) \times 2.0 \times SLR = dep(3)$			
•					
N	CI(N) = CI(N-1) - dep(N-1)	$CI(N) \times 2.0 \times SLR = dep(N)$			

where

SLR = straight line depreciation rate  

$$= \frac{1}{\text{Project life (years)}}$$
(21)

In this scheme we switch to a straight line depreciation scheme when the undepreciated balance divided by the number of years remaining in the life of the project is greater than the dual declining balance depreciation value.

IV.A.4. Income tax calculations

Knowing the depreciation schedule, the income tax calculations

may now be carried out. A tax rate of 50% of net income is used.

Taxes(N) = [(R(N) - (OP(N) + MAINT(N) + DEP(N) + PT(N)

+ Bond interest(N)] x .50 (22)

where

N = any one year in the project life from 1 through 30 inclusive R(N) = revenue in any one year  $= R(1 + k)^{N}$ FC(N) = finance charges for any one year OP(N) = operating expenses in any one year  $= OP(1 + k)^{N}$ MAINT(N) = maintenance expenses in any one year = MAINT $(1 + k)^{N}$ DEP(N) = depreciation expense (outlined in section IV.A.3) PT(N) = property tax in any one year Bond Interest = interest paid on the bonds only to finance part of the project IV.A.5. Net cash flow The face value net cash flow may now be determined. NCF(N) = [R(N) - (OP(N) + MAINT(N) + INCOME TAXES(N) + PT(N)]+ FC(N) + CR)

where

(23)

NCF(N) = net cash flow for any one year

CR = capital recovery

and

$$PW_{O}(N) = \frac{NCF(N)}{(1 + i)^{N}}$$
(24)

where

 $PW_{O}(N)$  = the present worth at time zero for any one year (N).

thus

$$PVI = PW_{(1)} + PW_{(2)} + PW_{(3)} + \cdots PW_{(30)}$$
 (25)

where

This type of cash flow analysis was conducted for the systems represented in figures 20 through 25. The computer program HOTNCOLD subroutine CASH was developed using the technique outlined in the above sections to process the cash flow calculations and prepare the plots therefrom.

![](_page_49_Figure_0.jpeg)

Fig. 18.0 Installed Cost of Refrigeration Systems vs. Refrigeration Capacity.

The following figure (Fig. 19.0) was developed from cost projections from pipeline data given for the years 1951 through 1967. These data were projected to the year 1974 to give the curve represented in Fig. 19.0. These data were published by the Federal Power Commission in the March 1969 issue of <u>Pipeline</u> <u>Engineer</u>. With the shortage of fabricated steel pipe there is no accurate way of determining the actual price of the pipe in March 1974. Although the graph does most probably represent the range in which the pipe costs would fall if pipe were available.

![](_page_51_Figure_0.jpeg)

Fig. 19.0. Installed Cost of Pipe vs. Diameter.

### IV.B. Results of the Cash Flow Analysis

The following figures are the results of the calculations done in subroutine CASH in the program HOTNCOLD. The graphs illustrate the present value net cumulative cash flow for a two pipe (two in each direction) hot water and cold water delivery system. For example, it is seen from figure 20.0 that the 10% cumulative present worth of the net cash flow for a 50 mile installation at a mass rate of flow of 56 x  $10^6$  lbm/hr (m2) is \$52,000,000. At the distance where the line crosses the 0.0 point the system would have an internal rate of return of 10.0%. Above the dashed line represents money earned above 10.0%, below the dashed line represents money short of 10.0% internal rate of return.

The following symbols key the mass rates of flow on figures 20 through 25.

$$ml = 57 \times 10^{6} lbm/hr$$

$$m2 = 56 \times 10^{6} lbm/hr$$

$$m3 = 55 \times 10^{6} lbm/hr$$

$$m4 = 54 \times 10^{6} lbm/hr$$

$$m5 = 53 \times 10^{6} lbm/hr$$

$$m6 = 52 \times 10^{6} lbm/hr$$

$$m7 = 51 \times 10^{6} lbm/hr$$

$$m8 = 50 \times 10^{6} lbm/hr$$

$$m9 = 48 \times 10^{6} lbm/hr$$

				~	
mll	=	47	x	106	lbm/hr
ml2	=	46	x	10 <sup>6</sup>	lbm/hr
m13	=	45	x	10 <sup>6</sup>	lbm/hr

![](_page_54_Figure_0.jpeg)

Fig. 20.0. Present Value of Cumulative Income at 10% for a 30 Year Life vs. Years. ml-m4

![](_page_55_Figure_0.jpeg)

Fig. 21.0. Present Value of Cumulative Income at 10% for a 30 Year Life vs. Years. m5-m8

![](_page_56_Figure_0.jpeg)

Fig. 22.0. Present Value of Cumulative Income at 10% for a 30 Year Life vs. Years. m9-m12

![](_page_57_Figure_0.jpeg)

Fig. 23.0. Present Value of Cumulative Income at 10% for a 30 Year Life vs. Years. m6-m9

![](_page_58_Figure_0.jpeg)

Fig. 24.0. Present Value of Cumulative Income at 10% for a 30 Year Life vs. Years. ml0-ml3

![](_page_59_Figure_0.jpeg)

Fig. 25.0. Present Value of Cumulative Income at 10% for a 30 Year Life vs. Years. mll-ml3

### V. DISCUSSION OF RESULTS

Depending on the mass rate of flow and pipe diameter, it is possible to realize at least a 10% internal rate of return at distances from the load center between 50 and 75 miles. At distances greater than this range internal rates of return less than 10% would be realized. At distances less than this range internal rates of return greater than 10% would be realized.

It must be remembered that the most significant assumption made in this investigation was the fact that the system would operate at full load capacity for the heating period of four months and a cooling period of three months. Hence, these systems are being presented as supplemental in nature to existing heating and refrigeration systems. The heating and cooling network is designed to handle a major portion of the steady load season, which is usually in the middle of the summer and winter seasons. If the systems were to be applied on a year round basis, the load requirements for the local area would have to be determined and the water flow rate adjusted according to the varying load requirements, in variable seasons as the spring and fall. However, even if these systems were used as suggested herein, that is, as supplemental systems, the energy savings and economic benefit would still be quite high.

The efficient utilization of energy from high temperature gas cooled reactors not only has the attractive point of utilizing much of the energy that would be otherwise wasted; but, also the

added advantage of conserving fossil fuel resources, that would ordinarily have been required to supply the heating and air conditioning service during high load periods.

The fossil fuel savings would of course be equivalent to the energy consumed by the load center during operation of the waste heat systems. For example, if the load required  $3 \times 10^9$ BTU/hr for a heating season of 4 months and 100,000 tons of refrigeration for a 3 month cooling season, a savings would be realized for any one of the following sources of energy:

Natural gas HEATING

 $3.0 \times 10^9 \frac{BTU}{hr} \times 2880 \text{ hrs } \times \frac{\text{ft}^3}{(1000 \text{ BTU})(.8)} = 10.8 \times 10^9 \text{ ft}^3$ 

 $= 5.18 \times 10^9 \text{ ft}^3$ 

COOLING

100000 tons x 
$$\frac{12000 \text{ BTU}}{\text{HR} - \text{ton}}$$
 x 2160 hrs x  $\frac{\text{ft}^3}{(1000 \text{ BTU})(.5)}$ 

Using 19110.0  $\frac{BTU}{1bm}$ 

Savings = 1,749,800 barrels Electric

Savings = 3,280,000 megawatt-hours

It is clearly seen that considerable quantities of fossile fuels can

be conserved, in addition, a profit can be realized by the installation of such a system.

As a suggestion for further study, an investigation into the load following characteristics and the subsequent impact on the economic development would be of considerable interest. In addition the investigation of the utilization of this energy in agricultural and industrial processes (for example, grain drying operations) would merit further study.

![](_page_62_Figure_2.jpeg)

#### VI. CONCLUSIONS

It is possible to service a district heating and cooling network by utilizing the rejected heat from a direct cycle high temperature gas cooled reactor as designed by the General Atomic Company.

The objective of this thesis was to investigate the feasibility of utilizing the rejected energy from the direct cycle HTGR to serve a district heating and cooling network. The objective has been accomplished, insomuch as the results clearly indicate that with the advent of the direct cycle HTGR, waste heat utilization will approach a more realistic solution. New technological advancements such as the direct cycle HTGR will provide the opportunity of increasing our energy utilization efficiency.

Since that which moves the technological society is inventiveness, magnified and implemented by an energy base, it is the techno-sociological responsibility of energy system designers to efficiently and equitably utilize our energy resources. In so doing, an optimized system of environmental, technological and sociological benefits will be realized.

The results of this investigation indicate that the state of the art in reactor design is reaching a point where the maximum energy utilization efficiency may be realized.

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#### VITA

John J. Blase was born February 13, 1947 in Girardville, Pennsylvania. He was raised in Girardville which is located in the Anthracite coal mining region. After completing his high school education at Cardinal Brennan High School, he attended the Academy of Aeronautics in New York City where he earned his Associate in Applied Science Degree in aircraft design. He also attended Parks College - St. Louis University where he received his B.S. in Aerospace Engineering.

Mr. Blase worked in the capacity of liaison engineer for Grumman Aircraft Engineering Company on the Apollo Project Lunar Module for a period of two years. He also held the position of Mechanical Engineer with the Environmental Protection Agency for two years.

He is President of the UMR Chapter of the American Nuclear Society, Vice President of the Nuclear Engineering and Science Honor Society, and an associate member of the National Society of Professional Engineers. Mr. Blase is married to the former Karen Wolf of St. Louis, Missouri.

#### APPENDIX A

### REVIEW OF LITERATURE

The utilization of low temperature waste heat from steamelectric power plants has always been a difficult task. The temperature of the rejected heat is relatively low (around 105°F), thus making the utilization of this energy quite difficult. There have been significant efforts, however, involved in utilizing waste energy. An entire range of heating<sup>[3][18]</sup> and agricultural<sup>[4]</sup> uses have been proposed. Some have met with success and many have not.

A unique approach to the use of this low value energy has been made by W. Martinovsky<sup>[13][14]</sup> of the Odessa Technical Institute in the Soviet Union. In 1953 Martinovsky proposed<sup>[13]</sup> the rejection of low value waste heat to a steam jet refrigeration cycle. In his proposal the steam jet cycle did not use water as a refrigerant as is the usual case, instead it was suggested that a freon or similar refrigerant be utilized in the steam jet refrigerating process. The low condenser temperatures of the steam jet cycle limited the use of such a system because of the large heat exchanger surfaces required at the condenser end of the cycle. The utilization of waste energy from steam-electric cycles is indeed worthy of future investigation when one considers the number of such plants in existence.

The advent of high temperature gas cooled reactors as designed by General Atomic, has added a new dimension to the possibilities

of utilizing the heat rejected from the nuclear-electric energy cycle. The only helium cooled nuclear reactor in operation in the United States at this time is the 330 MWe unit operated by Public Service Company of Colorado. This unit utilizes a conventional steam-electric cycle, coupled to a helium-water steam generator. A new design under consideration at this time by General Atomic is the direct cycle high temperature gas (helium) cooled reactor<sup>[11]</sup>. In this machine, the helium is heated in the reactor core and then expanded directly through a gas turbine which consequently turns the electric generator<sup>[11]</sup>. The attractive feature of this cycle is the temperature at which the waste heat is rejected. Rejection temperatures across the precooler stage of the cycle is from 470°F to 105°F<sup>[11]</sup>. Immediately it can be seen that this high value waste heat has many utilization possibilities. In fact, much research into the effective utilization of this energy is underway at the General Atomic facility in San Diego, California.

Rejection temperatures in this range could provide sufficiently high temperature input to generate low energy steam which may in turn power a water cycle series of steam jet refrigeration units.<sup>[8]</sup> This chilled water could in turn be used either in industrial processes or it could provide for a district refrigeration service (air conditioning). Chilled and heated water district heating and cooling systems have been in existence for many years<sup>[1]</sup>, and, therefore, this technological consideration is neither surprising

nor new. However, the great distance of nuclear power plants from load centers<sup>[18]</sup> increases the difficulty involved in transporting heated and chilled water to the load center. The pipeline technology required to move large quantities of water has been available to the oil and natural gas industries for many years<sup>[9][17]</sup>.

The object of this investigation is the determination of the technical and economic feasibility of transporting large quantities of heated and chilled water to a concentrated load center by using the rejected heat from the high temperature gas cooled reactor as the energy source.

APPENDIX B

FORTRAN IV COMPUTER PROGRAM LISTING

FORTRAN IV 31       RELEASE 2.0       TECH       DATE = 74093 $22/22/16$ PAGE 000         0001       SUBROUTINE TECH       C <th></th> <th></th> <th></th> <th></th> <th></th> <th></th>									
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0002     PEAL K2       0004     REAL K3       0005     DIMENSION E(180), T(180)       0006     DIMENSION TIA(100), T2A(100), DISA(100)       0007     DIMENSION TIA(100), T4A(100), HEATA(100)       0008     DIMENSIEN T3A(100), T4A(100), HEATA(100)       0009     COMMON AT(10), PR(10), KV(10)       0010     J=1       0012     U0 1001 L=1,100       0013     T1A(L)=0.0       0015     WBA(L)=0.0		C DEAL KI							
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U U Z S I = 3	0025	I = 3							
0027 FEAD(J,7000)AMHP	0027	READ ( J, 70(	DO)AMHP						
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0030 READ(J,7604)AKa,4NUA,ANPR,KI,KZ,K3,N,DA 0031 EE=AE	0030	READ(J,700 EE=AE	041AKA, ANUN, ANPR, K.	1, K2, K3, N, DA					
$\vec{0} \ \vec{0} \ \vec{3} \ \vec{2} $ $\vec{F} = 0 \cdot 0$ $\vec{0} = 1 \ 9 \ 9 \ 2 \ 7 \ 0 \ 0$	0032	F = 0.0 0 = 199270	)						
$DD_{28}^{-1} = 1, 6$	0034	DO 28 1=1	6						
0035 25 CONTINUE	0035	25 CONTINUE		,					
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0039 20 CONTINUE 0040 MLIG=48.0E+05	0039	20 CONTINUE MLIG=48.08	+05						
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0047 WRITE(7,9J07)WB4(IC),HEATA(IC),DISA(IC) 0048 B2D CONTINUE	0047 0048	WRITE(7,9. B2D CONTINUE	JUTIQBALICI, HEATAL	IJ, UISA(IC)					
0049 IF(D.LT.6J.1J)JJ TO 3 0050 7 MIID=MLID=0.50F+J6	0049	IF(D.LT.6) 7 MIIU=MIIU-	).10100 TO 3 -0.50E+06						
3051 IF(MLIQ.LT.10.00E+06) GU TO 100	0051	IFIMLIQ.LI	(.10.00E+36) GU TO	100					
FURTRAN	IV 61	RELEASE	2.0	TECH	LATE =	74093	22/22/16	PAGE	0002
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FURTRAN 0053 0054 0055 0055 0055 0055 0055 0055	IV 61	120 170	2.0 D=D-3.0 IF(D.LT.40.0)GJ L=0. DD=D/12.0 ARFA=(PI*D**2.) vEL=MLIU/(AKEA*) Avcl=vEL/3600. CALL PEESS(AKEA CALL PEESS(AKEA CALL PEESS(AKEA CALL PEESS(AKEA CALL PEESS(AKEA CALL PEESS(AKEA CALL PEESS(AKEA CALL PEESS(AKEA CALL PEESS(AKEA CALL PEESS(AKEA ENTHZ=0.0 ENTHZ=0.0 ENTHZ=0.0 ENTHZ=0.0 ENTHZ=0.0 ENTHZ=0.1 ENTHZ=ENTHY+ENTH ENTHZ=ENTHY+ENTH ENTHZ=ENTHY+ENTH ENTHZ=ENTHY+ENTH ENTHZ=ENTHY+ENTH ENTHZ=0.0 CALL TEMP(E,T,EE CALL TEMP(E,T,E	TECH TD 7 (4.0*144.0 52.4) FF, MLIQ, D, MLIQ, AMHP, JOD TO 7 HX+ENTHP H2+ENTHP	DATE =	74093	22/22/16	PAGE	0002
0096 0097 0098 0099 0101 0102 0103 0103 0104 0105 0105 0105 0106 0107 0108		40 50 130	HEATA(IA)=HEAT TIA(IA)=TINI DISA(IA)=DIS WBA(IA)=DB T2A(IA)=TIN2 L=L+1 IF(L.GT.52) GD WRITE(I,8998) L=0 CUNTINUE CALL TEMP(E,T,E) CALL TEMP(E,T,E)	TD 40 NTH2,J,N, NTH4,J,N,	T1N1) T1N2)				

FORTRAN IV G1	RELEASE 2.0	T	ECH	DATE = 740	193 2	2/22/16
0109 0110 0111 0112 0113	CAL CAL C=0 B=• CAL	L TEMP(E,T,ENT TEMP(E,T,ENT 0 3 L HTRAN(TIN2,K	HX,J,N,TINA) HZ,J,N,TINB) 1,K2,K3,VEL,	JD, ANUW, ANPR, B,	, AKW , C , HT Z , K 1	,R2,R3,THK
0114	-) CALI	HTRAN (TINA, K	1,K2,K3,VEL,	DD, ANUW, ANPR, B	AKW, C, HTA, R1	,R2,R3,THK
0115 0116 0117	-) B=. C=EI CAL	4 E L HTRAN(TIN1,K	1,K2,K3,VEL,	DD, ANUW, ANPE, B	AKW,C,HT1,K1	,R2,R3,THK
0118	CAL	L HTRAN(TINB,K	1,K2,K3,VEL,	DD, ANUW, ANPR, B	AKN, C, HTB, R1	,K2,R3,THK
$\begin{array}{c} 0119\\ 0120\\ 0121\\ 0122\\ 0123\\ 0123\\ 0124\\ 0125\\ 0126\\ 0127\\ 0128\\ 0129\\ 0129\\ 0129\\ 0131\\ 0132\\ 0131\\ 0132\\ 0134\\ 0135\\ 0134\\ 0136\\ 0137\\ 0136\\ 0137\\ 0136\\ 0137\\ 0136\\ 0137\\ 0136\\ 0141\\ 0142\\ 0144\\ 0145\\ 0144\\ 0145\\ 0146 \end{array}$	HTA: HTB: HTI: HT2: THK: ENTI ENTI ENTI ENTI ENTI ADI: 14J ENTI ADI: 400 ZZ= 1010 FORI 7003 FORI 7003 FORI 7003 FORI 7004 FORI 8998 FORI 8999 FORI 8999 FORI	HTA*AINC*5280 HTB*AINC*5280 HTB*AINC*5280 HT2*AINC*5280 HT2*AINC*5280 HT2*AINC*5280 HT2=-(HT1/MLIQ) HZ=-(HT2/MLIQ) HX=-(HT2/MLIQ) HX=-(HT8/MLIQ) HX=-(HT8/MLIQ) HZ=-(HT8/MLIQ) HZ=ENTH2+ENTHP HX=ENTH2+ENTH2+ENTHP HX=ENTH2+ENTH2+ENTHP HX=ENTH2+ENTH2+ENTHP HX=ENTH2+ENTH2+ENTHP HX=ENTH2+ENTH2+ENTHP HX=ENTH2+ENTH2+ENTH2+ENTHP HX=ENTH2+ENTH	• 3/2 • 0/2 • 0/2	.0 (,F9.6, 'BTU	J/L3M',///,'L CUNDUCTIVITY	OAD OUTLET
0147	-ENI -JX -JX -JX -JY -ZO -TY -ER -UP -ER -UDY -UDY 	TALFT,F790 PIPE = , BTU/HR-FT-DE3 K, WATER DF THE WATER = REFRIGERATION DF PIPES IN ON DETERMINATION MAT(' MASS PAT ,' OF FLOW	F	HK-FT-DEGF // IL =',F8 JU/HR-FT-DE3F SQ/HK',///,'P T THE PLANT =' =',F3.0,///,'P E LUSS PIPE DIA (INCHES) (F	20X, 'INSULATI 5, 'BTU/HE- 7//,'KINEMAT ANDTL NUMBER F7.0,'TONS' IPE FRICTION VELOCITY I F7/SEC) THICK	DN = ',F8.5 FT-DEGF',/ IC VISCOSI = ',F4.2,/ ,//,'NUMB FACTOR (MO NSULATION NSULATION
0148 0149 0150	9002 FOR 9003 FOR 9004 FOR	MAT(E12.6,2X,E MAT(/,' HP/PIP MAT(4X,F6.2,7X	9.3,4X,F5.2 E/MILE = ,FE ,F6.2,6X,F9	4X, F8.3,4X, F6. 2, UIS BETWEE 2, 6X, F6.2, 6X, F6	3) EN PUMPS =',F 5.2,6X,E12.6,	5.1,/) 6X,F8.4)

FURTRAN IV G1	RELEASE 2.0	TECH	DATE = 74093	22/22/16	PAGE 0004
0151	9005 FORMAT(' -P LEAVING - LUAD	TEMP LEAVING TEMP HEAT AVAILABLE HEAT	LEAVING KEFRIGERATION DISTANCE FROM 1,/,1 PLANT HEAT LOAD	TEMP LEAVING TEM REF PLANT REF AVAILABLE	
0152 0153 0154 0155	-THE LOAD - (DEG F 9005 FORMAT(E) 9007 FORMAT(F 100 RETURN END	CENTER ()EG F) [3.6,F5.2,F5.1] 9.2,E14.6,F6.1]	(DEGF) (DEGF) (BTU/HR) (	MILES) (IUNS)	

FORTRAN	ΙV	31	RELEASE	2.0	PRKV	DATE = 74093	22/22/16	PAGE	0001
0001			6	SUBROUTINE PRI	(V(T,PRAN,KINV)				
			C C *****	**** PRKV DOF	S A TABLE LOUK JP FO	R PRANDTL NUMBER	ANU KINEMATIC VIS *****		
0002 0003 0004 0005 0006 0007 0008 0007 0008 0010 0011 0012 0013 0014 0015			10 40	COMMUN AT(10) DO 10 I=1,6 IF((T.GE.AT(I) CONTINUE A=AT(I+1) B=AT(I) PA=PR(I+1) PB=PR(I) KA=KV(I+1) PRAN =((T-B)/() RINV=((T-B)/() RETURN END	,PR(10),KV(10) )).AND.(T.LT.AT(I+1) (A-5))*(PA-P5)+P8 A-8))*(KA-K5)+<3	)) GO TO 40			
FORTRAN	τv	61	RELEASE	2.C	PRESS	DATE = 74093	22/22/16	PAGE	0001
0.001				SUBROUTINE PRE	ESS (AKEA, FF, MLIJ, D, S	V, DELPI			
0001			C C * * * * *	**** PRESS LA	LCULATES PRESSURE UN	OP PER MILE *****	* * * * * * * * * * * * * * * * * * * *		
0002 0003 0004 0005 0006				REAL MLIQ G=MLIQ/AREA DELF=((FF*5280 KETURN END	0.)/D)*SV*((G/10000	•0)**2)			

FURTRAN IV G1	RELEASE 2.0	TEMP	DATE = 74093	22/22/16	PAGE 0001
0001	SUBF C********	COUTINE TEMP(E,T,ENTH, * TEMP IS A TABLE LOOK	J,N,TR) ( J? FOR TEMPERATURE GIVEN	ENTHALPY *********	×
0 J 02 0 0 03 0 0 04 0 0 05 0 0 06 0 0 06 0 0 07 0 0 08 0 0 09 0 0 10 0 0 12 0 0 13	C DIMI NN=1 DO IF 30 CDN 40 TIN= EN=1 EN=1 FT= RETI END	ENSIGN E(180),T(180) N-1 BO I=1,NN (ENTH.GE.E(I)).AND.(EN IINUE =T(I) E(I) E(I) =(I+1) (I+1) ((EN-ENTH)/(EN-ENN))*( UKN	H+.LT.E(I+1))) GO TO 40 D-TIN)+TIN		

FOR TRAN IV G	LEVEL	21	HCPLOT	D&TE =	74094	01/02/06	PAGE 0001
0001		SUBROUTINE H	CPLOT				
	C C*****	**** HCPLOT	PLUTS THE DATA FROM	THE TECH ROU	TINE ********	*****	
2002	č		50) P(50) DI(50)				
0002		CALL PENPOS(	'BLASE', 5, 01				
0004		ZA=25.0 Z3=0.0					
0006		1)=39.0					
0007	1	G)=53.0					
0009		IF(GD.LT.AD)	GO TO 300				
0010		L = 200					
0012	3.0	LA=15	PICC				
0014	,0	IF(Q.LT.5.0)	GO TO 100				
0015		$D_{1}^{2} = 1,44$ READ(8)A,B,D	1(1)				
0017	2.2	H(I)=B*1.0E-	07				
0018	20	AV=GD+0.5					
0020		12=50-0.5	W) - 7P - (DIA . IT . 47))G	TO 30			
0022		L=L+1					
0023		IF(L.LT.LA)	0 TO 50				
0025		IF(L.EQ.LA)C	ALL ENDPLT				
0027		CALL NEWPLT (	0.5,2.0,6.0)				
0028		CALL URIGING	0.0,120.0,4.5)				
0030		CALL YSCALE	74,300.0,6.0)				
0032		JALL YAXISIZ	5.0)				
0033	50	G) TO 30	1, 1, 44, 1, -1)				
0035	100	IF(L.LT.LA)	CALL ENDPLT				
0037		L=200	21.00				
0038	40	R=AD(8)Q,DIA IF(Q.LT.5.0)	GO TO 200				
0040		)) 120 I=1,4	4				
0041		R(I)=A*1.0E-	03				
0043	120	CONTINUE IF((DIA.GT.A	W).OF. (DIA.LT.AZ))GO	TO 40			
0045		L = L + 1	CC TO 150				
0046 0047		IFIL.EQ.LAIC	ALL ENDPLT				
0048		CALL NEWPLT(	0.5,2.0,6.0)				
0050		CALL ORIGIN	0.0,25.0) 0.0,120.0.4.51				
0051		CALL YSCALE!	28,75.0,6.0)				
0053		CALL XAXIS(1	0.0)				

FORTRAN	ΙV	G	LEVEL	21		
					VAVICIE	0.1

0054	CALL YAXIS(5.0)	
0055	150 CALL XYPLT(DI, R, 44, 1, -1)	
0056	G) T) 40	
0057	203 IF(L.LT.LA) CALL ENDPLT	
0058	G $T$ $J$ $1$	
0059	300 CONFINUE	
0060	25  FORMAT(FE.2)	
0061	RETJEN	
0062	FND	

FORTRAN	IV	G LEVEL	21	CASH	DATE =	74094	01/00/19	PAGE 0001
0001			SUBROUTIN	CASH				
		C C****	**** CASH	DOES THE DISCOUNTED CASH	FLOW ANAL	YSIS *****	* * * * * * * * * * * * * * * * * * * *	* *
0002 0003 0004		5	REAL MAIN REAL MLIQ DIMENSION -CASDUC(50	- CASINA (50), CASOUA (50), CAS (.CASINE (50), CASOUE (50), CA	INB(50),C SINF(50),	ASDUP(50),C CASDUP(50)	CASINC(50),	
0005			DIMENSION	PEF(100), HEAT(190), DIS(10	01,COSMAI	100),COSMV(	100),COSMI(	
0006 0007 0008 0009 0011 0012 0013 0015 0016 0016 0017 0016 0017 0016 0012 0022 00223 00223 00225			- 103/ DI MENSICN NA=7 RE4IND NA RE4IND NA CDSR=1000 A1=4.000 A1=4.000 A=1.000 A=1.000 A=1.000 CF(2)=AA CF(20)=AA CF(20)=AA CF(30)=AA CF	C(SA(50),COSB(50),CDSC(50) D1(50),C1(50),C2(50),C3(5 0000.0	),CDSE(50) 0),CF(50)	),COSF(50),	MAINT (50)	
0026 0027 0028 0029 0030 0031 0032 0033 0034		301	MAINT(I)=0 MAINT(I)=0 CONTINUE DO 305 I= REF(I)=0.0 HEAT(I)=0 OIS(I)=0.0 COSMA(I)=0 COSMA(I)=0	0 0 0 0 0 0 0 0 0 0 0 0 0 0				
0035 0036 0037 0038 0039 0040 0041 0042 0043		305	CONTINUE READ(1,45) READ(1,45) READ(1,45) READ(1,45) READ(1,10) DT 604 I=) READ(1,10)	2.0 2)Q,QZ 2)PCB,RORB,PCC,RORC,PCP,RC 3)N,T,APCT,BPCT 3)HH,CC 3)AMHP,AIN,ADIN,PUMCOS 23 3)D1(I),C1(I),C2(I),C3(I)	P P			
0044 0045 0046 0047 0048 0049		2 JO D	CINTINUE READ(1,10) WRITE(8)MI IE()Z.LT. WRITE(3,10 CONTINUE	.END=110) MLIQ, DIA, PLOC 10, DIA, PLOC 0.0) GO TE 2000				
0050			70 500 J=	•100•07 (5) 15 e				

FORTRAN	I۷	G	LEVEL	21		CASH		DATE = 74094	01/00/19
0052				READ(1,10 ARITE(8)R	5)REF(I),HEAT	EAT(I) (I),DI	,DIS(1) S(1)		
0054			600	CONTINUE CALL ZIP (	01,01,02,0	3,DIA,	COST1,COST2,C	COST31	
0056				17 602 I=	1,44 ST1*DIS(I)				
0058				C JSAVG=CC	ST2*DIS(I)				
0059				OND=DIS(1	I/PLOC				
0061				$X_2 = I X$					
0063 0064				C JSP JM=X3	*PUMCES *AN	нр			
0065 0066				C)SMA(I) = C)SMV(I) =	AN* (COSPUN	+COSMA	G)+COSR		
0067				C)SMI(I) = MAINT(I) =	AN*(COSPUN ((COSPUM*.	+COSMI 02)+(X	N)+COSR 3*27.0*(HH+CC	()))*AN+0.02*CO	SMV(T)
0069			602	CONTINUE REV=HH*HE	AT(4) *+ *B	/10000	00.0		
0071				RREV=CC*R	EF(4)*(F(4	)*A*PN	*12000.0/1000	0.000.0	
0073			_	CALL EXAC	TIPC3, RERE	PCC.R	ORC, PCP, ROFP,	N, COSMV(J), AIN	,ADIN, REV,
0074				REV=HH+HE	AT(10)*A*F	1/1000		00000 0	
0075				J=10				N COSMV/ IN ATN	ADIN DEV
0077			-	-REV, MAIN	T(J), CASIN	B,CASO	UB)	N, LUSHVIJI, AIN	ADINAREVA
0078 0079				REV=HHAHE	EF(20)*CF(	20)*A*	BN#12000.0/10	00000.0	
0080				J=20 CALL EXAC	T(PCB, RORP	, PCC.R	ORC, PCP, RORP,	N, COSMV(J), AIN	, ADIN, PEV,
0082				-RREV,MAIN REV=HH*HE	T(J),CASIN AT(30)*A*E	N/1000	UC) 000.0		
0083				R XEV=CC*R	EF(30)*(F(	30)*4*	BN#12000.0/10	000000.0 _	
0085				CALL EXAC	T(PCB, RORE T(J).CASIN	F.CASD	ORC, PCP, ROFP, UE)	N, COSMV(J), AIN	,ADIN,REV,
0086				REV=HH*HE	AT(40)*(*8	N/1000 401*A*	000.0 BN#12000.0/10	00000.0	
0088				J=40	TIDEA. BORF	PCC.P	ORC . PC P . ROR P.	N.COSMV(.I) .AIN	ADIN.REV.
0089			-	-REV, MAIN	T(J), CASIN	F, CASU	UF)		
0090				WRITE(3,8	05)	2001			
0092				WRITE(3,8	OIIMLIO,DI	A.PLOC			
0094 0095				ARITE(3,8	02)				
0096 0097				ARITE(3,8	031				
0098 0099			2001	CONTINUE YA=CASINA	(N)-CASOUA	(N)			
0100				YB=CASINB YC=CASINC	(N) -CASOUE (N) -CASOUC	(N)			
0102				YE =CASINE	(N)-CASOUE	(N)			

FURTRAN	IV G	LEVEL	21	CASH	DATE = 74094	01/00/19	PAGE 0003
0103 0104 0105 0106 01C7 0108			YF=CASINF(N IYEAR =0 CO 506 I=1, IYEAR=IYEAR IF(QZ.LT.10, F(ITE(3,911 -), 245INC(1)	-CASCUF(N) 1 0)G0 TC 2002 IYEAF,(ASOUA(I),CAS CASCUF(I),CASINE(I)	INA(I),CASOUB(I),CASIN (CASOUF(I),CASINF(I)	B(I),CASOUC(I	
0109		2002	GONTINUE WRITE(NA)	IYEAR, CASDUA (I), CAS	SINA(I), CASCUB(I), CASINI (ASCUF(I), CASINF(I)	B(I),CASDUC(I	
0111 0112 0113 0114 0115		506	CONTINUE WRITE(3,805 ALIN=ADIN*1( WRITE(3,10) WRITE(3,1)Y	0.0 14LIN,N 14R,YC,YF,YF			
0116 0117 0118 0119 0120 0121 0122 0123		110	ML 19=0.0 DIA=0.0 PLDC=0.0 WAITE(NA)ML CALL CFLPT( F)AMAT(17X, F)AMAT(17X,	2,014,PL00 1) PE12.5,4(12X,1PE12. ) P2ESENT VALUE OF IN	.5))	ENT AND A LIF	
0124 0125 0126 0127 0128 0129 0130 0131 0132 0133 0134		100 101 102 103 104 105 450 451 452 800	-E 32441(27.1 E 32441(27.1 F 32441(27.1 F 32441(27.1 F 32441(27.1 F 32441(27.1 F 32441(21.1) F 32441(21.	EARS',/) 2EF.4,F5.1) 3F10.2) 1X,E13.6,F6.1) 4 6.4) MASS RATE OF FLOW', ',/,EX,'(LBM/HR)',2	20X, 'PIPE DIAMETER', 15 26X, '(INCHES)', 26X, '(MI	X, DISTANCE B	
0135 0136 0137 0138		801 802 803 804	F) RMAT(1X, F) F) RMAT(10(8) F) RMAT(8X, *( F) RMAT(8X, *( - *(50, MI)	3.6,28X,F5.2,28X,F5 (, CASH')) DUT',10X,'IN',4(9X,' (EAR (10 MI) (10 (50 MI)',5X,'(75 M	CUT IN')) CUT IN')) MI)',5X,'(25 MI) MI) (75MI)',5X,	(25 MI)',5X,	
0139 0140 0141 0142		805 911 9	FORMAT(//// FORMAT(IE,1) RETURN SND	(1PE12.5))			

FORTPAN	IV G LEVEL	21	EXACT	DATE = 740	04	01/00/19	PAGE
0001		SJBROUTINE EXACT (PC) -RREV, MAINT, CASIN, CAS	B,RDRB,PCC,ROR <mark>C,</mark> PC Snut)	P,PCRP,N,CI	,AIN,ADIN,R	EV,	
	C C * * * * C CAL	***** EXACT DOES THE CULATIONS INCLUDING	DEPRECIATION SCHE	ME, TAX CAL *********	CULATIONS A	ND DISCOUNTING *****	
0002 0003 0006 0006 0009 0010 0011 0012 0013 0014 0015 0016 0017 0018 0016 0017 0018 0021 0022 00221 00223 00224 00225 00226 00226 00226 00227 00228 00226 00227 00228 00226 00227 00228 00226 00227 00228 00227 00230 00331 00335 00336 0037 00339	C**CAL C C C C C C C C C C C C C C C C C C	DI 4FNSI(N CASQUT (50 REAL MAINT CAFEADIN*((1.0+ADIN A) $= P = CPF * CI$ TR = 0.5 ASJM=0.0 PIP=.02 YRST=N B) $EP = CI / YRST$ PCT=(BDEP/CI)*2.0 R $B = PCB * ROFB * CI$ R $DC = PCC * ROFC CI$ R $DC = PCC * ROFC CI$ TFO=ROB + 2CC+RDP TAXOUT=CI * PTP CA=CI D) 10 I=1,N Y $= AR(I) = PCT * CA$ IF (REV.GT.10000.)GC WAITF(3,101) YEAR(I) CONTINUE CA=CA - YEAP(I) M=I IF((CA/(N-I) - YEAP(I) CONTINUE CONTINUE CONTINUE CONTINUE X=M RBD=CA/X L=M+1 D) 20 I=M,M YEAR(I) = RBD IF(REV.GT.10000.)GC WAITE(3,101) YEAR(I) CONTINUE CONTI	TO 40 TC 50 TC 50	<pre>************************************</pre>	****	****	
0040 0041 0042 0043 0044		E 5=(1.0+AIN)**1 P #F=1.0/((1.0+ADIN)) JALL PWRTH(REV,RFEV FIAX=TR*(((REV+RFEV FEDTAX=FTAX*PWF	**I) , I ,AIN,ADIN,MAIN )*ES)-(MAINT*ES+YE	T,CASI , /R(I)+ROB+T	BMAINT) AXOUT))		
0045 0046 0047 0048 0049		PRIX=IAXUUI*PWF DTR=TRD*PWF CASDU =FEDTAX+PR IF(REV.GT.10000.)G0 AXITE(3,100)CASI.FE	TX+BMAINT+DTR+ADEP TC 60 DTAX,PRTX,BMAINT+C	DTR, ADEP			
0050	6)	CONTINUE ASUM=ASUM+CASOU					

FORTRAN 0001	IV G LEVE	L 21 S JBROU	ZI DTINE ZIP(D,C1,C2	C3, DIA, COSTA, C	DATE = CSTB,CO	74094 STC1	01/00/19	PAGE	0001
0002 0003 0004 0005 0006 0007 0008 0009 0010 0011 0012 0013 0014 0015 0016 0017 0018	2 3	****** 2 DI MENS DD 20 IF ((DI 0 C)NTF((DI 0 A=C1(I 0 A=C2(I 0 A=C2(I C=C2(I C=C2(I F=C3(I) H=D(I) H=C0STA= CDSTA= CDSTA= CDSTC= RETJRN END	<pre>TIP DCES A TABLE TUN C1(50),C2(50 I=1,22 A.GE.D(I)).AND.( UE I III) A.GE.D(I)).AND.( HE III) A.GE.C(I) A.GE.C(I</pre>	.OOK UP FOR PIP ),C3(50),D(50) )IA.LT. D(I+1)) )*(DIA-G)))*100 (*(DIA-G)))*100 *(DIA-G)))*100	E COSTS 1GD TO 00.0 0.0	******	*****		
FORTRAN 0052 0053	IV G LEVE	L 21 BSUM=B CASOUT	EX SUM+CASI (I)=ASUM	АСТ	DATE =	74094	01/00/19	PAGE	0002

ČÁŠÍŇ(Í)≐BSŪM 30 CONTINUE 100 FORMAT(5X,6F10.2) 101 FORMAT(5X,F10.2) RETURN	
END	
	ČASIN(I)=BSUM 30 CONTINUE 100 FORMAT(5X,6F10.2) 101 FORMAT(5X,F10.2) RETURN END

FORTRAN	IV G LEVEL	21	ţ	WRTH		DATE =	74094	01/00/	19	PAGE OC	001
0001	3	JBROUTINE	AWRTH (K, AA	IN, RR, ARR)							
	C*****	**** AWRTH	IS A ROUT	NF THAT DO	ES THE	PRESENT	WORTH	CALCULATIONS	*****		
0002 0003 0004 0005 0006		YEARS=K PMF=1.0/(() RR=RR*PWF RETURN END	1.0+A4IN)**	YEARSI							

FOPTRAN	IV G	LEV	L	21		CPLOT		DATE =	74094	01/00/19	PAGE	0001
0001				S JAROUTI NE	C PLOT (N)							
		C***	* * *	** ** CPL 7T	PLOTS TH	E DATA	FROM CASH	****	*******	*** * ** * * * * * * * * * * * * * * * *		
0002		C	-	DIMENSI(N DIMENSI(N C)SC(50),C	A(20),B(2 IYEAR(50) TOTAL(50)	0),C(20 ,COSA(5 ,COSE(5	)) 50),ATOTAL 50),ETCTAL	(50), COSB (50), COSF	(50),81014 (50),81014	AL(50), AL(50)		
0004 0005 0006 0007				DIMENSION REAL MLIQ SALL PENPJ NA=7	YEAR(50), S('BLASE'	AD(50) ,5,0)						
0005 0009 0010 0011		i	21	23=39.0 75=63.0 REWIND NA L=0								
0012 0013 0014 0015				K=0 M=10 D3=DG-3.0 A3=DG+0.5								
0016 0017 0018 0019			+ )	3;=DG-0.5 READ(NA)ML IF(MLIQ.LT D) 10 I=1,	IQ,DIA,PL .1.0) GC	0C TG 50				2050 ( 1 )		
0020 0021 0022			-	CTOTAL(I); CTOTAL(I); CTOTAL(I)=CO COSB(I)=CO	EAR(1),CC CCSE(1),E SA(1)*1.C SB(1)*1.C	SA(1), P TOTAL (1 F-06 E-06	I),CCSF(I)	FTOTAL(I	)			
0023 0024 0025 0026				.JSC(I)=CJ .JSE(I)=CO .JSF(I)=CO .JSF(I)=CO .ATOTAL(I)=	SE(I)*1.0 SE(I)*1.0 SF(I)*1.0 ATOTAL(I)	=-06 =-06 *1.0E-0	06					
0027 0028 0029 0030				STOTAL(I)= ETOTAL(I)= FTOTAL(I)=	CT DTAL(I) ET DTAL(I) ET DTAL(I) EAD(I)	*1.0E-0 *1.0E-0	06 06 06					
0031 0032 0033 0034		1	10	CONTINUE IF((DI4.GT VRITE(3,27	.AG).DK.(	DIA.LT.	.BG1)GC TO	٨0				
0035 0036 0037 0038				CALL NEWPL CALL ORIGI	T(0.5,2.0 N(0.0,0.0 E(0.0,710	,5.0) ) .0,4.5)	)					
0039 0040 0041 0042				CALL XSCAL CALL XAXIS	E(0.0,X,4 (5.0) (25.0) T(YEAR.CO	•5)	.1)					
0045 0045 0046				CALL XYPL	TIYEAR, CO TIYEAR, CO TIYEAR, CO	SB,N,1, SC,N,1, SE,N,1,	2)					
0047 0048 0049 0050 0051				CALL XYPL CALL XYPL CALL XYPL CALL XYPL	TIYEAR, AT TIYEAR, BT TIYEAR, CT TIYEAR, ET	OTAL,N, OTAL,N, OTAL,N, OTAL,N,	1,6) 1,7) 1,8) 1,11)					

FOPTRAN	I٧	Ģ	LEVEL	21	CPLOT	DATE = <b>74094</b>	01/00/19
0052 0053 0054			30	CALL CALL CALL	XYPLT(YEAR, FTOTAL, N, 1, 12) ENDPLT FINAL(CDSA(N), ATOTAL(N), CO	SB(N), BTATAL (N), COSC (N)	
0055					TAÙ (NÌ,COŜE(N),ETOTAÙ (N),CC 2 I=1,5 1=C(I)-B(I)	SF(N),FTJTAL(N),A,B,C)	
0057 0058 0059			32	K=++	NUF =1 		
0061				IF (K IF (K KSET	LT.10)55 TO 70 GE.10)CALL ENDPLT 2		
0064 0065 0066			20	K = 0 CONT L=L+			
0067 0068 0069				CALL CALL CALL	NEWPLT(0.5,5.5,6.9) JRIGIN(0.0,0.0) XSCALE(0.0,101.0,4.5) VSCALE(-160.0.5.0)		
0070 0071 0072					XAXIS(10.0) YAXIS(20.0)		
0075			7	1:1=K 1:1=K 1:K=K	I NI IF		
0077 0078			50	CALL 3) T CONT	XYPLT(4,40,J,1,NN) 0 40 NUF		
0080 0081 0082			83	IF(K CALL CONT	SET.EQ.2)GC TC 80 ENDPLT INVE		
0083 0084 0085			28	IF (D CONT CALL			
0086 0087 0088			21	RETU	(N)		

FORTRAN I 0001	V G LEVEL	21 SJBROUTINE FINAL ,COSF,FTCTAL,DIS	FINAL (COSA,ATOTAL,COSB,BT( ,COST,TOTAL)	DATE = 74094 DTAL,COSC,CTOTAL,COSE,	01/00/19 FTOTAL	PAGE	0001
0002 0003 0004 0005 0006 0007 0008 0009 0010 0011 0012 0013 0014 0015 0016 0017 0018 0016 0017 0018 0019 0021 0022 0021 0022 0023 0024 0025	C C **** C	<pre>***** FINAL ARRAN DIMENSION DIS(20 J=J+1 DIS(J)=10.0 COST(J)=CCSA TOTAL(J)=ATOTAL J=J+1 DIS(J)=25.0 COST(J)=CCSB TOTAL(J)=BTOTAL J=J+1 DIS(J)=50.0 COST(J)=CCSC TOTAL(J)=CTOTAL J=J+1 DIS(J)=75.0 COST(J)=COSE TOTAL(J)=ETOTAL J=J+1 DIS(J)=100.0 COST(J)=CCSF TOTAL(J)=FTOTAL RETURN END</pre>	GFS SCALARS INTO VECT	TOR FORMS FOR THE PLOT	TER ******		

FOR TRAN 0001	IV G	LEVEL C C****	21 SUBROUTINE **** PWRTH	PWRTH(REV)	WRTH RREV, K NT WORTH A	DATE ,AIN,ADIN,MA	= 74094 INT,DZ,D AMOUNT C	01/00/19 M) Alculations *********	PAGF 0001
0002 0003 0004 0005 0006 0007 0008 0009 0010		С	REAL MAINT P 4F = 1.0/(( C 4F = (1.0+A D) VH = REV*C D) VR = RREV*C D 4 = MAINT*C D 2 = D 0 VH + DD RETURN E 4D	1+ADIN)**K IN)**K AF*PWF CAF*PWF AF*PWF VR VR					

APPENDIX C

COMPUTER PROGRAM FLOW CHART









#### APPENDIX D

#### SAMPLE CASH FLOW PROBLEM

The following is a sample problem demonstrating the technique used in the discounted cash flow analysis in the economics section of this investigation.

Given:

Capital investment	=	\$1000.00
Revenue	=	\$2000.00/year
Maintenance & Operating costs	=	\$1000.00/year
Inflation factor	=	4.5%
Discount factor	=	10%
Tax rate	=	50%
Property tax rate	=	2%

Find:

The present value net cumulative profit at 10%

for a 10 year life.

Straight line depreciation rate:

$$DR = \frac{1}{10 \text{ years}}$$
$$= 10\%$$

Dual declining balance rate:

The following table is a dual declining balance depreciation scheme which will be used for the tax calculations.

where

## DDB = Depreciation expense

DDB(1)	= (.2)(1000.0)	= 2	200.00
DDB(2)	= (.2)(1000.0 - 200.0)	= ]	L60.00
DDB(3)	= (.2)(800.00 - 160.0)	= :	L28.00
DDB(4)	= (.2)(640.00 - 128.0)	= :	102.40
DDB(5)	= (.2)(512.00 - 102.4)	=	81.92
	SWITCH TO STRAIGHT L	INE	SCHEME
DDB(6)	$=\frac{409.60 - 81.92}{5 \text{ years}}$	H	65.54
DDB(7)		=	65.54
DDB(8)		-	65.54
DDB(9)		=	65.54
DDB(10)		=	65.54

FINANCING EXPENSES/\$1000.00 Capital Investment

The project will be financed by:

30% Bonds @ 7% interest 30% Common @ 14% interest 40% Preferred @ 7% interest

Return on Bonds

ROB = Per cent bonds x interest rate x captical investment = .30 x .07 x 1000.00 = 21.00/year Return on Common

= .02 x 1000.00

= 20.00/year

YEAR	SPCA (l + i) <sup>n</sup>	MAINT + OP (escalated)	REVENUE (escalated)	DDB	BOND Interest
1	1.045	1045.00	2090.00	200.00	21.00
2	1.092	1092.00	2184.00	160.00	21.00
3	1.141	1141.00	2282.00	128.00	21.00
4	1.192	1192.00	2384.04	102.40	21.00
5	1.246	1246.00	2492.36	81.92	21.00
6	1.302	1302.00	2604.52	65.54	21.00
7	1.360	1360.00	2721.72	65.54	21.00
8	1.422	1422.00	2844.30	65.54	21.00
9	1.486	1486.00	2972.18	65.54	21.00
10	1.552	1552.97	3105.94	65.54	21.00

Table D1.0. Schedule for Tax Calculations.

#### Where

SPCA = single payment compound amount factor escalated = adjusted by SPCA for a 4.5% inflation

### Income tax

## Example

Tax(1) = .50(2090.00 - 21.00 - 1045.00 - 200.00)= 402.00

# Table D2.0. Yearly Tax.

YEAR	TAX
l	402.00
2	445.37
3	485.67
4	524.54
5	561.54
6	597.85
7	627.15
8	657.78
9	689.77
10	723.21

Capital recovery

CR = Capital investment 
$$(\frac{i(1 + i)^{n}}{(1 + i)^{n-1}})$$
  
= 1000.00 x .16275  
= 162.75

## Table D3.0. Face Value Cash.

YEAR	REVENUE	TAX	TOTAL INTEREST + DIVIDENDS	PROP. TAX	MAINT OP	SPCA
1	2090.00	402.00	91.00	20.00	1045.00	1.045
2	2184.00	445.37	91.00	20.00	1092.00	1.092
3	2282.20	485.67	91.00	20.00	1141.66	1.141
4	2385.04	524.54	91.00	20.00	1192.52	1.192
5	2492.36	561.63	91.00	20.00	1246.18	1.246
6	2604.52	597.85	91.00	20.00	1302.26	1.302
7	2721.72	627.15	91.00	20.00	1360.86	1.360
8	2844.20	657.78	91.00	20.00	1422.10	1.422
9	2972.18	689.77	91.00	20.00	1486.09	1.486
10	3105.94	723.24	91.00	20.00	1552.97	1.552

Table D4.0. Present Worth at Time 0. Discounted at 10%.

YEAR	REVENUE	TAX	INTEREST + DIVIDENDS	PROP. TAX	MAINT OP
1	1900.00	365.45	82.73	18.18	950.01
2	1804.06	368.05	75.21	16.53	902.64
3	1714.47	364.89	68.37	15.03	851.73
4	1628.98	358.25	62.15	13.66	814.49
5	1547.51	348.71	56.50	12.42	773.75
6	1470.25	337.48	51.37	11.29	735.13
7	1396.79	321.85	46.70	10.26	698.39
8	1326.82	306.85	42.45	9.33	663.11
9	1260.50	292.53	38.59	8.48	630.25
10	1197.33	278.80	35.08	7.71	601.26

Cash in = Revenue

Cash out = Income tax + interest + dividends + property tax + maintenance + operating + capital recovery

Table D5.0. Cumulative Cash Flow.

YEAR	CASH IN	CASH OUT
1	1900.02	1564.32
2	3704.88	3061.24
3	5419.35	4483.53
4	7048.33	5837.23
5	8595.84	7129.65
6	10066.09	8356.80
7	11462.88	9517.52
8	12789.70	10615.17
9	14050.20	11654.04
10	15247.53	12639.71

NP = 15247.53 - 12639.71 = 2607.82

Where

NP = Present value net cumulative profit
 at 10% for a life of 10 years.