

01 Dec 1995

Calibration and Measurement of Dielectric Properties of Finite Thickness Composite Sheets with Open-Ended Coaxial Sensors

Stoyan I. Ganchev

Nasser N. Qaddoumi

Sasan Bakhtiari

R. Zoughi

Missouri University of Science and Technology, zoughi@mst.edu

Follow this and additional works at: https://scholarsmine.mst.edu/ele_comeng_facwork



Part of the [Electrical and Computer Engineering Commons](#)

Recommended Citation

S. I. Ganchev et al., "Calibration and Measurement of Dielectric Properties of Finite Thickness Composite Sheets with Open-Ended Coaxial Sensors," *IEEE Transactions on Instrumentation and Measurement*, vol. 44, no. 6, pp. 1023-1029, Institute of Electrical and Electronics Engineers (IEEE), Dec 1995.

The definitive version is available at <https://doi.org/10.1109/19.475149>

This Article - Journal is brought to you for free and open access by Scholars' Mine. It has been accepted for inclusion in Electrical and Computer Engineering Faculty Research & Creative Works by an authorized administrator of Scholars' Mine. This work is protected by U. S. Copyright Law. Unauthorized use including reproduction for redistribution requires the permission of the copyright holder. For more information, please contact scholarsmine@mst.edu.

Calibration and Measurement of Dielectric Properties of Finite Thickness Composite Sheets with Open-Ended Coaxial Sensors

Stoyan I. Ganchev, *Senior Member, IEEE*, Nasser Qaddoumi,
Sasan Bakhtiari, *Senior Member, IEEE*, and Reza Zoughi, *Senior Member, IEEE*

Abstract—The application of open-ended coaxial sensors for dielectric measurement of finite thickness composite sheets is studied. Expressions for calculation of the complex aperture admittance for two geometries are presented. These expressions are used to calculate the dielectric constant of infinite half-space as well as finite thickness slabs. A more efficient method of such calculations, using a personal computer, for low to medium loss dielectrics is demonstrated. The question of when a dielectric layer may be considered as infinitely thick is also addressed, and examples are presented. A different calibration technique (compared to the conventional ones) is described and successfully implemented. This calibration technique utilizes a dielectric sheet with known dielectric properties and thickness. Measurements for different airgaps between the open-ended coaxial line and the dielectric sheet are used to perform and enhance the calibration. The results of this calibration technique and several subsequent measurements are presented and discussed.

I. INTRODUCTION

OPEN-ENDED coaxial line sensors have been widely used for nondestructive measurement of material dielectric properties [1]–[28] since they offer a relatively small interrogation area and possess wide band characteristics. Usually, open-ended coaxial sensors are utilized in medicine for in-vivo measurement of biological tissue properties. They are also used for dielectric property characterization of composites in process and quality control applications [22], [23]. The dielectric material under test is often considered to be infinitely thick when using this probe for dielectric property measurements. This is primarily due to the fact that unlike other probes, such as open-ended waveguides, the radiation characteristics of an open-ended coaxial line does not provide for considerable radiation into a generally lossy dielectric material [29], [30], [33]. However, as will be shown in this paper, the assumption of an infinitely thick sample may not always hold true.

A finite thickness dielectric material may consist of several layers of different dielectrics. Moreover, the existence of an airgap between the open-ended sensor and the material under test may substantially increase measurement sensitivity (particularly when measuring thickness of a dielectric) [26], [30]. These are why the study of a multilayered dielectric composite is important. It is also a well known fact that

it is difficult to obtain a good contact between the coaxial sensor and a dielectric sheet when making these types of measurement. The introduction of a fixed airgap between the two alleviates this problem as long as the presence of the airgap is theoretically accounted for. Thus, the consideration of a dielectric composite made of several layers (one being an airgap) is important. Also, measuring and monitoring local dielectric property variations may be used to detect voids, porosity and delamination in composite materials (other examples of a multilayered dielectric). Moreover, once the dielectric properties of a sheet material is known, it is possible to detect its thickness variation [29].

In this paper dielectric property characterization of finite thickness dielectric composites along with an improved calibration procedure for open-ended coaxial sensors are described. A technique to speed up the calculation process for measuring the dielectric properties is also presented. A calibration procedure using multiple measurement points corresponding to different airgap distances is described and successfully implemented. Finally, measurement results for several finite thickness dielectric specimens are reported.

II. CALCULATION OF THE DIELECTRIC CONSTANT

The detailed underlying theoretical analysis of radiation from an open-ended coaxial line into stratified dielectrics, which is used here, has been developed by Bakhtiari *et al.*, [29]. Consider a coaxial line filled with a dielectric with permittivity ϵ_{r_c} and with an inner conductor radius a and an outer conductor inner radius b as shown in Fig. 1. The coaxial line is radiating into a layered dielectric composite. Fig. 1 shows the specific geometry pertinent to the discussion of this paper. A dielectric layer with finite thickness is preceded by an airgap and followed by an infinite half-space of another dielectric (free-space). A common infinite half-space is realized when $d_1 = 0$ and $d_2 = \infty$ with a dielectric constant of $\epsilon_{r_2} = \epsilon_r$. Neglecting higher order modes, the complex aperture admittance of an open-ended coaxial line radiating into an N -layer dielectric composite is given by the following general expression [29]:

$$y_S = \frac{1 - R}{1 + R} = \frac{\epsilon_{r_1}}{\sqrt{\epsilon_{r_c}} \ln\left(\frac{b}{a}\right)} \int_0^\infty \frac{[J_0(k_0\zeta b) - J_0(k_0\zeta a)]^2}{\zeta} \mathcal{F}(\zeta) d\zeta \quad (1)$$

Manuscript received January 19, 1994; revised December 8, 1994.

The authors are with the Applied Microwave Nondestructive Testing Laboratory, Electrical Engineering Department, Colorado State University, Fort Collins, CO 80523 USA.

IEEE Log Number 9414831.

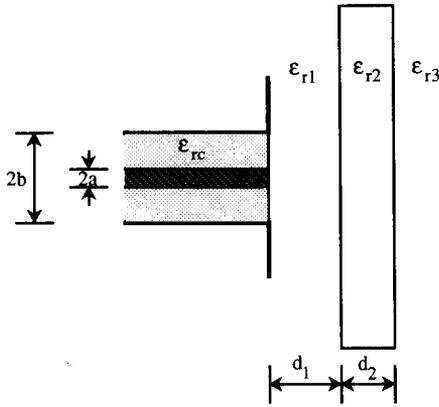


Fig. 1. Cross section of coaxial line radiating into a two-layer media terminated by infinite half-space.

where $\mathcal{F}(\zeta)$ is an unknown function which is to be evaluated by forcing the boundary conditions, ζ is the integration variable, R is the complex reflection coefficient ($R = \Gamma e^{j\phi}$), k_0 is the free-space wave number, and $\epsilon_{r1} = \epsilon'_{r1} - j\epsilon''_{r1}$ is the relative complex dielectric constant of the first layer (closest to the aperture).

A. Infinite Half-Space Case

The case of radiation into an infinite half-space of a dielectric with $d_1 = 0$, $d_2 = \infty$ and with dielectric constant $\epsilon_{r2} = \epsilon_r$ will be considered first. This case represents an important part of practical measurements and calibration procedures. The function $\mathcal{F}(\zeta)$ in this case takes the following simple form:

$$\mathcal{F}(\zeta) = \frac{1}{\sqrt{\epsilon_r - \zeta^2}}. \quad (2)$$

Calculating the value of the dielectric constant, ϵ_r , from the measured complex reflection coefficient, R , is referred to as an inverse problem. The speed with which (1) can be numerically integrated dictates how quickly the dielectric constant can be estimated. For the dielectric constants of generally lossy materials which are within the scope of this study, the integration can be carried out efficiently on a personal computer.

To speed up the calculation time a procedure similar to the one described in [30] may be used. To illustrate this consider Fig. 2(a) and (b) which show the return loss (RL = $-20 \log |\Gamma|$) and phase of the reflection coefficient, ϕ , for an open-ended coaxial line with $a = 1.18$ mm and $b = 3.62$ mm as a function of the loss tangent ($\tan \delta = \epsilon''_r/\epsilon'_r$) for several values of the real part of the dielectric constant (ϵ'_r). All of the forthcoming calculations and measurements are performed with this coaxial line and at a frequency of $f = 5$ GHz. Considering Fig. 2(a), it may be concluded that for high values of ϵ'_r , the RL changes negligibly with increasing $\tan \delta$, while for low and medium dielectric constants this change is substantial. Fig. 2(b) shows that ϕ is quite constant for $\tan \delta$ values of up to ≈ 0.4 irrespective of the value of ϵ'_r . As a result, an initial

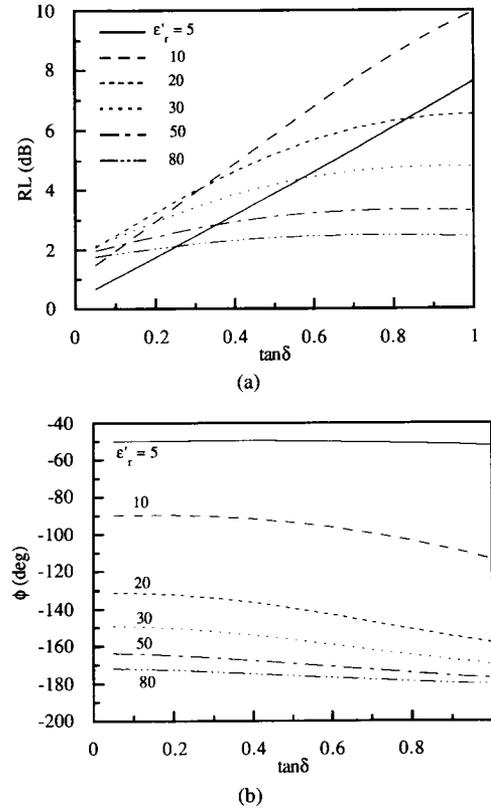


Fig. 2. Return loss (a) and phase (b) versus loss tangent for different values of the real part of the dielectric constant. The dielectric is considered with infinite thickness.

value of ϵ'_r may be estimated from the measured phase fairly accurately. ϵ''_r may then be obtained from the measured value of RL. In summary, the real part of the dielectric constant is estimated from the measured phase value. Then, the imaginary part of the dielectric constant is calculated from the return loss measurement utilizing the already found real part of the dielectric constant. This iterative process is repeated until a prescribed accuracy is reached. This calculation is shown to converge very rapidly (usually after three iterations).

For the case of very lossy materials, for which ϕ can no longer be considered constant, another technique should be applied. Consequently, the following system of equations must be solved simultaneously:

$$\begin{cases} \text{RL}(\epsilon_r) - \text{RL}_m = 0 \\ \phi(\epsilon_r) - \phi_m = 0 \end{cases} \quad (3)$$

where the index m denotes the measured values, and $\text{RL}(\epsilon_r)$ and $\phi(\epsilon_r)$ are calculated from (1). A good practice is to find the values of the dielectric constant that best fit (3) instead of trying to find an exact solution for the system. Of course, this procedure is slower than the previous case, but it still may be executed on a personal computer reasonably quickly. These numerical techniques may also be used for finite thickness dielectrics as it will be discussed later. For such cases the speed of calculations will also depend on the thickness of the dielectric layer.

An important conclusion may be drawn when considering the infinite half-space case. Fig. 3(a) and (b) show the RL and ϕ as a function of ϵ'_r for different values of $\tan \delta$. It is evident that for high values of ϵ'_r there is hardly any change in the values of the RL and ϕ . Hence, calibration of open-ended coaxial probes with liquids having high ϵ'_r may not render high degree of accuracy. Application of high dielectric liquids is the prominent calibration practice for open-ended coaxial lines. As it will be discussed later, one way to improve calibration accuracy is to use multiple thicknesses of a dielectric sheet or to vary the airgap.

B. Finite Thickness Case

In many practical environments dielectric layers with finite thicknesses are encountered. This is depicted in Fig. 1 with the dielectric layers having thicknesses d_1 and d_2 with corresponding dielectric constants of ϵ_{r1} and ϵ_{r2} . The explicit expression for $\mathcal{F}(\zeta)$ when the third layer is an infinite half-space extending in the z -direction with a dielectric constant of ϵ_{r3} is given by

$$\mathcal{F}(\zeta) = \frac{1}{\sqrt{\epsilon_{r1} - \zeta^2}} \left(\frac{1 + \rho_1}{1 - \rho_1} \right) \quad (4)$$

where

$$\begin{aligned} \rho_1 &= \frac{\kappa_1 - \beta_2}{\kappa_1 + \beta_2} e^{-j2k_0 d_1 \sqrt{\epsilon_{r1} - \zeta^2}} \\ \kappa_1 &= \frac{\epsilon_{r2} \sqrt{\epsilon_{r1} - \zeta^2}}{\epsilon_{r1} \sqrt{\epsilon_{r2} - \zeta^2}} \\ \beta_2 &= \frac{1 - \rho_2 e^{j2k_0 d_1 \sqrt{\epsilon_{r2} - \zeta^2}}}{1 + \rho_2 e^{j2k_0 d_1 \sqrt{\epsilon_{r2} - \zeta^2}}} \\ \rho_2 &= \frac{\kappa_2 - 1}{\kappa_2 + 1} e^{-j2k_0 (d_1 + d_2) \sqrt{\epsilon_{r2} - \zeta^2}} \\ \kappa_2 &= \frac{\epsilon_{r3} \sqrt{\epsilon_{r2} - \zeta^2}}{\epsilon_{r2} \sqrt{\epsilon_{r3} - \zeta^2}}. \end{aligned}$$

The calculation of the dielectric constant for this case may be speeded up for low and medium lossy dielectrics in a similar manner as described for the infinite half-space case. In this case the speed of calculation and scope of applicability will not only depend on the coaxial line geometry, frequency of operation and the dielectric constant, but also on the range of thicknesses of the dielectric layer. For layers with high dielectric constants (both real and imaginary parts) the system described in (3) must be solved in the same manner as explained earlier.

III. AIRGAP BACKED BY A FINITE THICKNESS DIELECTRIC VERSUS AIRGAP BACKED BY AN INFINITELY THICK DIELECTRIC

A basic question, in measurements and calculations, is whether the sample under test has a finite thickness or whether it may be considered as an “infinite” sample. This may be checked experimentally by placing a shorting plate behind the sample and monitoring any changes in the measured quantities. It is obvious that the “finiteness” is a function of the coaxial

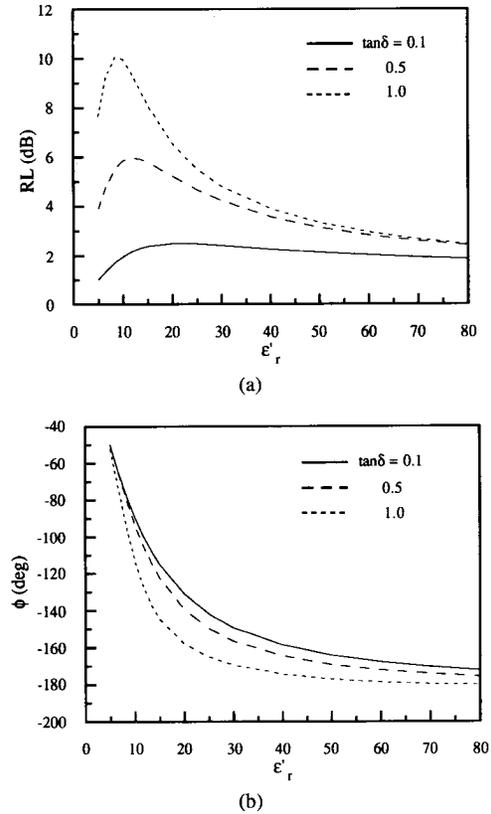


Fig. 3. Return loss (a) and phase (b) versus the real part of the dielectric constant for different loss tangents. The dielectric is considered with infinite thickness.

line geometry, frequency and the dielectric constant of the sample. For a given coaxial line sensor and an operating frequency (or range of frequencies) it is possible to perform calculations for a range of dielectric constants and arrive at a thickness that may be large enough to be considered an infinite half-space.

An illustration of such a calculation is given here for which the complex reflection coefficient versus an airgap distance between the coaxial sensor and the dielectric sheet with $\epsilon_{r2} = 5.8 - j0.4$ is calculated (this material is used in the measurements later on). The geometry in this case is that of Fig. 1 where the first and the third dielectric layers are free-space, and the second layer is the dielectric (ϵ_{r2}). The RL and the ϕ as a function of the airgap distance for several thicknesses of the dielectric sheet are presented in Fig. 4(a) and (b), respectively. From these figures it may be concluded that return loss approaches its infinite half-space value for larger values of d_2 than does the phase. Obviously, for this sample a thickness of around 5 mm can not be considered as an infinite half-space. A convenient way to determine which thickness may be considered as an infinite half-space for this type of measurements is to perform the calculations for fixed, small airgaps values ($d_1 = 0.127$ mm and $d_1 = 0.254$ mm which were used in our actual measurements) and a changing thickness of the dielectric layer (d_2). Such a calculation is necessary only for the return loss since it defines the infinite half-space thickness [Fig 4(a)]. Fig. 5 shows the return loss

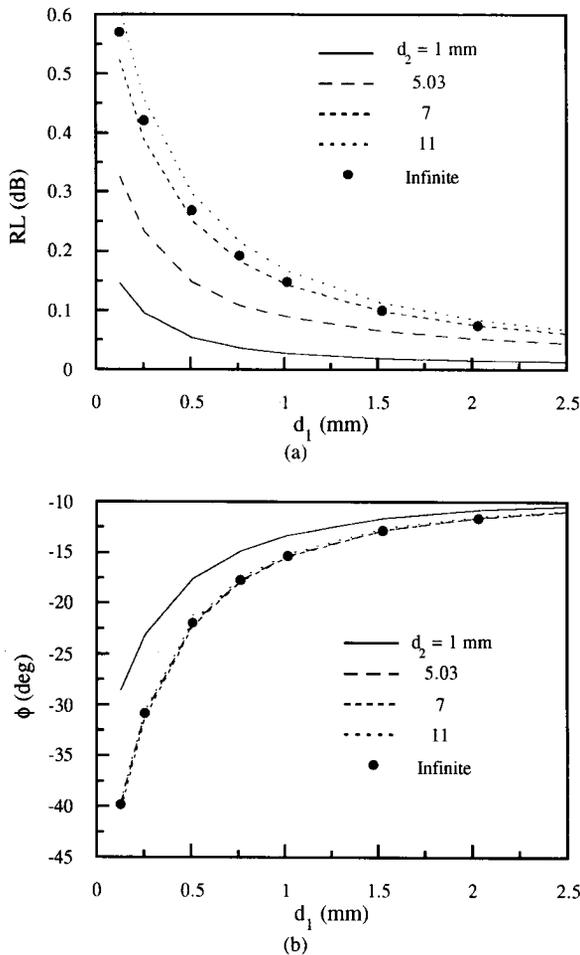


Fig. 4. Return loss (a) and phase (b) versus air gap (d_1) for different thicknesses (d_2) of the dielectric layer ($\epsilon'_r = 5.8 - j0.4$).

versus the thickness of the dielectric sheet for two fixed airgaps and two different dielectric constants, namely sample (a) with $\epsilon_{r2} = 9.08 - j1.05$ and sample (b) with $\epsilon_{r2} = 5.8 - j0.4$. These dielectric samples were later used in our measurements. The horizontal lines represent the infinite thickness value for each dielectric constant. This value is calculated using the two layer model, e.g. the first layer is the airgap, and the second (infinite) layer is the dielectric sample. Depending on the desired accuracy the "infinite" thickness may be considered when d_2 is at least 20 mm. The conclusion from this numerical simulation is that for an unknown dielectric layer it is better to use the finite thickness formulation.

IV. CALIBRATION

Fig. 6(a) shows an experimental setup that was used in our measurements. It is well known that the measured reflection coefficient is different from the actual (or true) reflection coefficient (of the measured dielectric sample) at the reference plane [31]. The reflection coefficient, R_m , measured by the network analyzer is different than the desired (actual) reflection coefficient, R_a , at the open-ended plane of the coaxial line. To calculate the actual reflection coefficient the S -parameters should be determined using a calibration procedure. The widespread calibration procedure includes measurement of a short

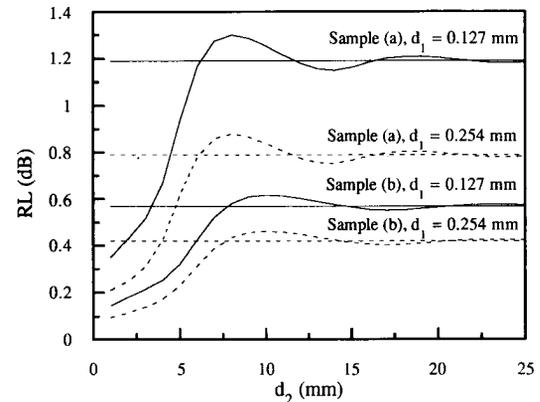


Fig. 5. Return loss versus air gap (d_1) for two fixed air gaps $d_1 = 0.127$ mm and $d_2 = 0.254$ mm and two dielectric constants: (a) $\epsilon'_r = 9.08 - j1.05$; (b) $\epsilon'_r = 5.8 - j0.4$.

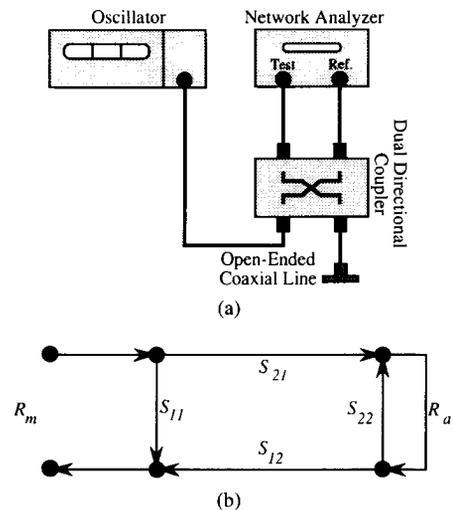


Fig. 6. (a) Measurement apparatus. (b) Simplified flow graph of the measurement apparatus.

circuit, open circuit and some known load which is usually a liquid with well-known dielectric properties. It is recognized that the choice of the reference liquid affects the measurement uncertainty in any subsequent dielectric measurements [4]. Usually this is attributed to the frequency dependence of the calibration liquid dielectric properties. Furthermore, the calibration accuracy when using a high dielectric and high loss material is less than when using a medium or low loss dielectric or liquid [see Fig. 3(a) and (b)].

One way to accomplish a more precise calibration with one known load, is multiple measurements using different distances between the sensor and a short-circuiting plate immersed in the liquid [20]. However, as the results of our investigation indicated, it is also possible to use a finite thickness dielectric layer with a known dielectric constant and conduct multiple measurements using a varying airgap between the sensor and the dielectric layer.

V. MEASUREMENT RESULTS

The measurements were performed using an HP-8410 network analyzer at a frequency of 5 GHz with a coaxial sensor

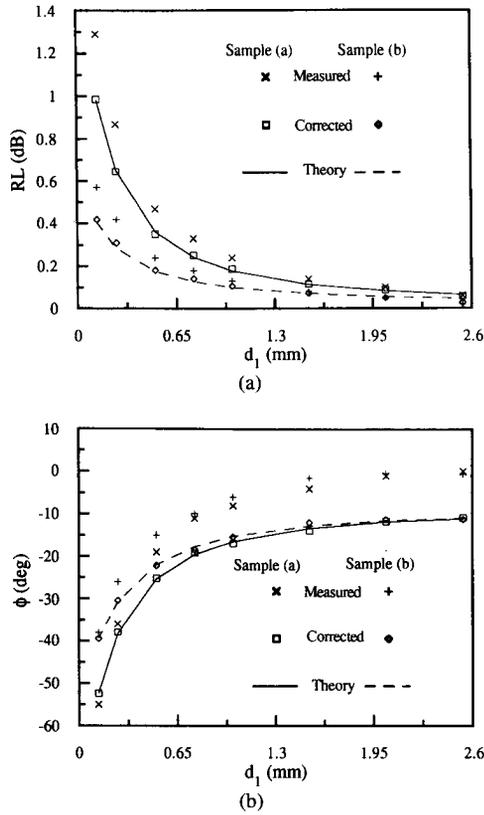


Fig. 7. Return loss (a) and phase (b) versus air gap (d_1) for the two samples (a) and (b). The measurement points are denoted with (x,+), the corrected points are denoted with (square, diamond) and the theoretical curves (solid, dash).

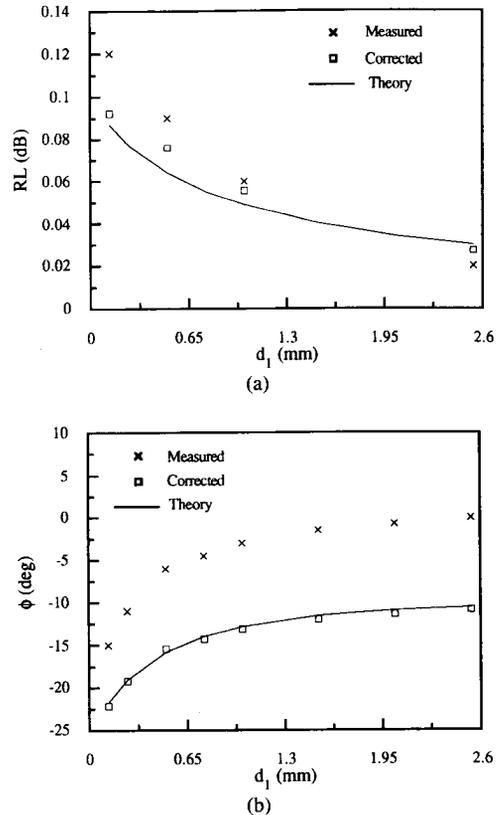


Fig. 8. Return loss (a) and phase (b) versus air gap (d_1) for Plexiglass. The measurement points are denoted with (x), the corrected points are denoted with (square) and the theoretical curves (solid).

with $a = 1.18$ mm and $b = 3.62$ mm. In these measurements three samples were used:

- a) a resistive strip (carbon black rubber) with thickness 5.15 mm and $\epsilon'_r = 9.08 - j1.05$,
- b) a resistive strip with thickness 5.03 mm and $\epsilon'_r = 5.8 - j0.4$ and
- c) a Plexiglass plate with thickness 25.8 mm and $\epsilon'_r = 2.6 - j0.02$.

The dielectric constants of samples (a) and (b) were measured with the technique described in [32], and for the purpose of this investigation they are called “actual values”. For the calibration procedure the airgap distance between the coaxial sensor and the samples was changed to obtain multiple measurement points using a precise mechanical device (described in [33]). For each airgap the complex reflection coefficient, R_m , was measured. A measurement point for a large airgap constitutes an open-circuit load which is usually considered as a standard load for calibration.

Fig. 6(b) shows a simplified flow graph of the measurement setup [31] which results in (5) once a short-circuit load is used to eliminate the explicit influence of S_{12} and S_{21} from (5):

$$R_a = \frac{R_m - S_{11}}{1 + S_{11} + S_{22}(1 + R_m)} \quad (5)$$

The finding of the remaining S -parameters was based on obtaining the best fit of the measured values of the reflection coefficient R_m to the calculated (actual) ones R_a . Fig. 7(a) and

(b) depict the results of the calibration procedure using sample (a) as the calibrating load. Subsequently, the S -parameters were obtained. Then, the actual values for the RL and ϕ were recalculated (corrected) from the measured values of samples (a) and (b) and compared to the theoretical curves obtained by using the actual values of ϵ_r . The deviation of the recalculated measurement points around the theoretical curves for sample (a) gives an indication of the calibration accuracy [which is very good as indicated in Fig. 7(a) and (b)]. The results further indicate the validity of calibration using one load, and obtaining good results for a different finite thickness dielectric load. The same results for Plexiglass are presented in Fig. 8, and once again good agreement between the theoretical and corrected [i.e. calibrated with sample (a)] results is obtained. Plexiglass, which has a well-known dielectric constant, is not a good calibrating load for this calibration technique since it offers very little change of the return loss as a function of airgap.

Finally, the dielectric constants of the samples were obtained using the fitting procedure which involves finding the best fit of the dielectric constant value to the theoretical RL and ϕ using R_a . This provides for averaging of the measured quantities which results in improved measurement confidence. The speed of this fitting routine depends on the number of measurement points (i.e. airgap distances). Table I shows the results of the above procedure, once using sample (a) as the calibrating load and another time using sample (b).

TABLE I
MEASURED ϵ_r OF THREE SPECIMENS CALIBRATED WITH SAMPLES (A) AND (B)

Dielectric Sample	Actual Value	Calibrated w/ (a)	Calibrated w/ (b)
Sample (a)	9.08 - j1.05	-	9.01 - j0.98
Sample (b)	5.80 - j0.4	5.85 - j0.45	-
Plexiglass	2.60 - j0.02	2.64 - j0.024	2.64 - j0.018

There are several sources of errors in this type of measurements. First it should be noted that errors in calibration will result in erroneous dielectric constant measurements. Therefore, calibration must be checked prior to each measurement cycle. The tip of the coaxial sensor should be flat and perpendicular to the axis of the coaxial line. Temperature variation may also cause the inner (or outer) conductor to extend beyond the aperture of the coaxial line. Depending on the way the coax has been manufactured, this effect may be permanent as reported in [21]. In the approach used in this paper, the contact problem associated with the way these measurements are normally made is alleviated (i.e., an existing airgap). However, one must be careful when measuring the airgap distance since this could now become a source of measurement error. This error is minimized by averaging several measurements for each airgap. We also accounted for the errors associated with the apparatus by adding the measurement uncertainties for the RL (0.006 dB) and ϕ (0.3°) [13], [31] and subsequently recalculated the dielectric constant. To illustrate the effect of these errors the dielectric constant of sample (b), calibrating with sample (a), was recalculated to be $\epsilon_r = 5.846 - j0.4058$ (compared to $\epsilon_r = 5.80 - j0.4$). The result show that for the real part the difference is negligible and for the imaginary part is less than 2 percent. It must be noted that this error will be larger for materials with lower dielectric constants.

VI. CONCLUSION

Different aspects of measurement of dielectric properties with an open-ended coaxial sensor were discussed. Depending on the coaxial line geometry and frequency of operation, for low to middle loss dielectrics it is possible to accelerate considerably the routine for finding the dielectric constant. Discussion of when a finite thickness dielectric layer may be considered to be an infinite half-space was addressed. A different calibration technique using a single dielectric sheet was implemented. The calibration was performed by measuring the complex reflection coefficient at the sensor aperture for multiple airgap distances. The measurement apparatus S -parameters were found from the calibration measurements using a simple best fit procedure. Subsequently, dielectric measurements were performed on three dielectric specimens, and the results compared well with their actual values. Several sources of errors in this type of measurement were discussed. The influence of these errors on the measurements showed to be insignificant.

REFERENCES

[1] M. Stuchly and S. Stuchly, "Coaxial line reflection methods for measuring dielectric properties of biological substances at radio and microwave

frequencies—A review," *IEEE Trans. Instrum. Meas.*, vol. 29, pp. 176–183, Sept. 1980.

[2] J. Mosig, J.-C. Besson, M. Gex-Farby, and F. Gardiol, "Reflection of an open-ended coaxial line and application to nondestructive measurement of materials," *IEEE Trans. Instrum. Meas.*, vol. 30, pp. 46–51, Mar. 1981.

[3] A. Kraszewski, M. Stuchly, and S. Stuchly, "ANA calibration method for measurements of dielectric properties," *IEEE Trans. Instrum. Meas.*, vol. 32, pp. 385–387, June 1983.

[4] A. Nyshadham, C. Sibbald, and S. Stuchly, "Permittivity measurements using open-ended sensors and reference liquid calibration—An uncertainty analysis," *IEEE Trans. Microwave Theory Tech.*, vol. 40, pp. 305–313, Feb. 1992.

[5] T. Marsland and S. Evans, "Dielectric measurements with an open-ended coaxial probe," *Proc. Inst. Elec. Eng.*, Pt. H, vol. 134, pp. 341–349, Aug. 1987.

[6] D. Misra, M. Chabra, B. Epstein, M. Mirotznik, and K. Foster, "Noninvasive electrical characterization of materials at microwave frequencies using an open-ended coaxial line: Test of an improved calibration technique," *IEEE Trans. Microwave Theory Tech.*, vol. 38, pp. 8–14, Jan. 1990.

[7] K. Staebel and D. Misra, "An experimental technique for in vivo permittivity measurement of materials at microwave frequencies," *IEEE Trans. Microwave Theory Tech.*, vol. 38, pp. 337–339, Mar. 1990.

[8] E. Burdette, F. Cain, and J. Seals, "In vivo probe measurement technique for determining dielectric properties at VHF through microwave frequencies," *IEEE Trans. Microwave Theory Tech.*, vol. MTT-28, pp. 414–426, Apr. 1980.

[9] M. El-Rayes and F. Ulaby, "Microwave spectrum of vegetation—Part I: Experimental observations," *IEEE Trans. Geosci. Remote Sensing*, vol. GE-25, pp. 541–549, Sept. 1987.

[10] Y. Xu, R. Bosisio, and T. Bose, "Some calculation methods an universal diagrams for measurement of dielectric constants using open-ended coaxial probes," *Proc. Inst. Elec. Eng.*, Pt. H, vol. 138, pp. 356–360, Aug. 1991.

[11] T. Athey, M. Stuchly, and S. Stuchly, "Measurement of radio frequency permittivity of biological tissues with an open-ended coaxial-line: Part I," *IEEE Trans. Microwave Theory Tech.*, vol. MTT-30, pp. 82–86, Jan. 1982.

[12] ———, "Measurement of radio frequency permittivity of biological tissues with an open-ended coaxial-line: Part II—Experimental Results," *IEEE Trans. Microwave Theory Tech.*, vol. MTT-30, pp. 87–92, Jan. 1982.

[13] A. Kraszewski, S. Stuchly, M. Stuchly, and S. Symons, "On the measurement accuracy of the tissue permittivity in vivo," *IEEE Trans. Instrum. Meas.*, vol. IM-32, pp. 37–42, Mar. 1983.

[14] R. Seaman, E. Burdette, and R. Dehaan, "Open-ended coaxial exposure device for applying RF/microwave fields to very small biological preparations," *IEEE Trans. Microwave Theory Tech.*, vol. 37, pp. 102–111, Jan. 1989.

[15] N. E. Belhadj-Tahar, A. Fourier-Lamer, and H. de Chanterac, "Broadband simultaneous measurement of complex permittivity and permeability using a coaxial discontinuity," *IEEE Trans. Microwave Theory Tech.*, vol. 38, pp. 1–7, Jan. 1990.

[16] H. Zheng and C. Smith, "Permittivity measurements using a short open-ended coaxial probe," *IEEE Microwave and Guided Wave Lett.*, vol. 1, pp. 337–339, Nov. 1991.

[17] L. Liping, X. Deming, and J. Zhiyan, "Improvement in dielectric measurement technique of open-ended coaxial line resonator method," *Electron. Lett.*, vol. 22, no. 7, pp. 373–375, 27 Mar. 1986.

[18] J. Grant, R. Clarke, G. Symm, and N. Spyrou, "A critical study of the open-ended coaxial line sensor technique for RF and microwave complex permittivity measurements," *J. Phys. E., Sci. Instrum.*, vol. 22, pp. 757–770, 1989.

[19] S. Jenkins, T. Hodgetts, R. Clarke and A. Preece, "Dielectric measurements of reference liquids using automatic network analyzers and calculable geometries," *Meas. Sci. Technol.*, vol. 1, pp. 691–702, 1990.

[20] S. Jenkins, A. Warham, and R. Clarke, "Use of open-ended coaxial line sensor with a laminar or liquid dielectric backed by a conducting plane," *Proc. Inst. Elec. Eng.*, Pt. H, vol. 139, pp. 179–182, no. 2, Apr. 1992.

[21] B. G. Colpitts, "Temperature sensitivity of coaxial probe complex permittivity measurements: Experimental approach," *IEEE Trans. Microwave Theory Tech.*, vol. 41, pp. 229–233, Feb. 1993.

[22] Y. Xu and R. G. Bosisio, "Nondestructive measurements of resistivity of thin conductive films and the dielectric constant of thin substrates using an open-ended coaxial line," *Proc. Inst. Elec. Eng.*, Pt. H, vol. 139, pp. 500–506, no. 6, Dec. 1992.

[23] A. Nishikata and Y. Shimizu, "Analysis for reflection from coaxial end

attached to lossy sheet and its application to nondestructive measurement," *Electron. Commun.*, Japan, pt. 2, vol. 71, pp. 95-107, no. 6, 1988.

- [24] ———, "Effectiveness of gaps for lossy dielectric sheet measurement by coaxial electrode," *Electron. Commun.*, Japan, pt. 2, vol. 73, pp. 14-21, no. 7, 1990.
- [25] Y.-Z. Wei and S. Sridhar, "Radiation correction open-ended coax line technique for dielectric measurements of liquids up to 20 GHz," *IEEE Trans. Microwave Theory Tech.*, vol. 39, pp. 526-531, Mar. 1985.
- [26] L. S. Anderson, G. B. Gajda, and S. S. Stuchly, "Analysis of an open-ended coaxial line sensor in layered dielectrics," *IEEE Trans. Instrum. Meas.* vol. 35, pp. 13-18, Mar. 1986.
- [27] S. Fan, K. Staebell, and D. Misra, "Static analysis of an open-ended coaxial line terminated by layered media," *IEEE Trans. Instrum. Meas.*, vol. 39, pp. 435-437, Apr. 1990.
- [28] L. L. Li, N. H. Ismail, L. S. Taylor, and C. C. Davis, "Flanged coaxial microwave probes for measuring thin moisture layers," *IEEE Trans. Biomed. Eng.*, vol. 39, pp. 49-57, Jan. 1992.
- [29] S. Bakhtiari, S. Ganchev, and R. Zoughi, "Analysis of radiation of an open-ended coaxial line into stratified dielectrics," *IEEE Trans. Microwave Theory Tech.*, vol. 42, June 1994.
- [30] S. Ganchev, S. Bakhtiari and R. Zoughi, "A novel numerical technique for dielectric measurement of generally lossy dielectrics," *IEEE Trans. Instrum. Meas.*, vol. 41, pp. 361-365, June 1992.
- [31] "Automating the HP8410B microwave network analyzer," Hewlett Packard Application Note 221A, June 1980.
- [32] S. Ganchev, N. Qaddoumi, D. Brandenburg, S. Bakhtiari, R. Zoughi, and J. Bhattacharyya, "Microwave Diagnosis of Rubber Compounds," *IEEE Trans. Microwave Theory Tech.*, vol. 42, Jan. 1994.
- [33] S. Bakhtiari, N. Qaddoumi, S. Ganchev, and R. Zoughi, "Microwave noncontact examination of disbond and thickness variations in stratified composite media," *IEEE Trans. Microwave Theory Tech.*, Mar. 1994.



Stoyan I. Ganchev (M'92-SM'92) was born in Sofia, Bulgaria. He received M.Sc. in physics from the University of Sofia and the Ph.D. from the Institute of Electronics, Bulgarian Academy of Sciences in 1969 and 1985, respectively.

From 1969 to 1990 he was engaged in research on microwave ferrites and ferrite devices at the Microwave Magnetics Laboratory. He is now Senior Research Associate at the Applied Microwave Nondestructive Testing Laboratory, Department of Electrical Engineering, Colorado State University.

His current research interest is microwave NDE, and he has published extensively in this area.



Nasser Qaddoumi was born January 24, 1996, in Nablus in Palestine, and received the B.S.E.E. degree in electrical engineering from the United Arab Emirates University and the M.S.E.E degree from Colorado State University where he is currently pursuing the Ph.D. degree.

From 1985 through 1987 he achieved technical training during the summer in the Telecommunications Company in UAE. Since 1991 he has been a graduate research assistant at the Microwave Nondestructive Testing Laboratory at the Electrical

Engineering Department at Colorado State University. His fields of interest are microwave theory, microwave nondestructive testing, signal processing, and mathematics.

Mr. Qaddoumi is a member of Eta Kappa Nu.

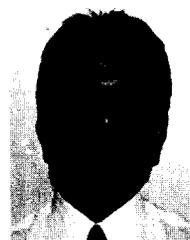


Sasan Bakhtiari (S'89-M'91-SM'94) was born in 1962 in Tehran, Iran. He received the B.S.E.E. degree from Illinois Institute of Technology, Chicago in 1983, the M.S.E.E. from the University of Kansas, Lawrence in 1987 and the Ph.D. degree in electrical engineering from the Colorado State University, Ft. Collins in 1992.

From 1984 to 1987 he was with the Radar Systems and Remote Sensing Laboratory (RSL) at the University of Kansas as a research assistant.

From 1988 to 1992 he was involved in research in the fields of radar remote sensing, microwave nondestructive testing and theoretical electromagnetic modeling at Colorado State University. He is currently with the Energy Technology Division at Argonne National Laboratory. His current research interests include radar and radiometry applications, development and implementation of microwave and millimeter wave sensors for nondestructive testing of materials, and numerical electromagnetic modeling.

Dr. Bakhtiari is a member of Eta Kappa Nu.



Reza Zoughi (S'85-M'86-SM'93) was born in Tehran, Iran, on April 3, and received the B.S.E.E., M.S.E.E., and Ph.D. degrees in electrical engineering (radar remote sensing, radar systems, and microwaves) from the University of Kansas.

From 1981 until 1987 he was employed by the Radar Systems and Remote Sensing Laboratory at the University of Kansas in various capacities. His experience at RSL included developing, building, and operating various radar systems, data collection, and analysis. He has been involved in radar remote

sensing research in the areas of determination of backscattering sources in various types of vegetation canopies (crops and trees) and surface targets and geology (lithology). He has been at Colorado State University since 1987, and he is currently an associate professor with the Electrical Engineering Department where he founded the Applied Microwave Nondestructive Testing Laboratory. His current areas of research include nondestructive testing of material using microwaves, developing new techniques for microwave and millimeter wave inspection and testing of materials and developing new electromagnetic probes to measure characteristic properties of material at microwave frequencies. Dr. Zoughi has to his credit over 115 journal publications, conference presentations and proceedings, technical reports and overview articles in the fields of radar remote sensing and microwave nondestructive evaluation. He has been voted the most outstanding teaching faculty for years running by the junior and senior students at the Electrical Engineering Department at Colorado State University. He has also been recognized as an honored researcher for four years running by the Colorado State University Research Foundation. He is the recipient of the Dean's Council Award in 1992. He is also an endowed associate professor of Electrical Engineering (1995-1997).

Dr. Zoughi is a member of Sigma Xi, Eta Kappa Nu, the American Society for Nondestructive Testing (ASNT) and a member of the editorial advisory committee for the International Advances in Nondestructive Testing (IANDT).