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Comparison and evaluation of web crippling prediction formulas

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Teoman Peköz

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Comparison and evaluation of web crippling prediction formulas.

Monique Bakker

Tecman Peköz, Ph.D. professor of structural engineering

March 1985

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SUMMARY

 \mathbb{R}^2

Since the use of end and load stiffeners is frequently impractical in thin-walled cold-formed steel construction, the webs of beams and deck may cripple due to the high local intensity of the load or reaction.

In this report three different web crippling prediction formulations are compared with experimental results from five different sources.

It is found that these web crippling formulas show considerable differences and do not give satisfactory results consistently.

 $\frac{1}{4}$

Figure 1

1.3. Outline

L.

Chapter 2 of this report describes the three web crippling formulations evaluated.

Chapter 3 states the differences in these web crippling prediction formulas.

Chapter 4 gives the necessary information of the test series used to compare the web crippling prediction formulas with the test results.

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 $\sum_{i=1}^n$

 $\frac{1}{2}$

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Chapter 5 contains the comparison between the. test loads and the ultimate web crippling loads computed with the three web crippling formulations. Chapter 6 states the conclusions.

2. FORMULATIONS EVALUATED

The three formulations evaluated have been based on test results, not on theoretical analysis.

This is due to the complexity of the theoretical analysis.

- A theoretical analysis involves
- Nonuniform stress distribution under the applied load and the adjacent portions of the web
- BlAstic and inelastic stability of the web element
- Local yielding in the immediate region of load application
- The effect of the inside bend radius (bending of the webs out of the plane)

The web crippling prediction formulas evaluated are:

2.1. The BCCS approach

In the BCCS-1983 Recommendations (1 and 2) the web crippling load is predicted by the equation

$$
R_{d} = 0.15 t^{2} \sqrt{E f_{ty}} (1 - 0.1 \sqrt{r/t}) (0.5 + \sqrt{0.02 T_{s}/t}) (2.4 + (\Theta/90)^{2})
$$

The use of the equation is sub'ect to the following limitations: r < lOt $\Omega_{\rm s}$ < 200 (mm) $\overline{\Theta}$ > 50^o

When the support consists of a round tube, z- or c-purlin, so that the nomin. I bearing length becomes very small, $\lambda_{\rm g}$ may be taken equal to 10 mm. The equation applies to both sections and deck.

The BCCS approach is based on the testing of profiled sections performed at the Royal Institute of Technology in Stockholm (3). Baehre (10) reported that the testing involved 78 specimens, but it is doubtful whether all these tests can be seen as IOF web crippling tests (see the description of the Stockholm tests in chapter 3).

The empirical formula for the ultimate web crippling load given in References 5 and 10 has been modified slightly to make it applicable to aluminium also. The original formula (5) included a limitation $s_{w(E)}$ < 170t.

2.2. The AISI approach

In the AISI-1980 Specification (3) the web crippling load is obtained by the equation

$$
R_d = 1.85**f_{ty}/33-C_1 \cdot C_2 \cdot C_9 \cdot (291 - 0.40 s_{wt(A)}/t)(1+0.007 \ell_s/t)**
$$

where
C₁ = (1.22 - 0.22 f_{ty}/228)
C₂ = (1.06 - 0.06 r/t) \le 1.0
C₀ = 0.7 + 0.3 (0/90)²
* Safety factor

$$
\text{When } \frac{1}{s}/t > 60 \text{ the factor } (1 + 0.007 \text{ l}_s/t) \text{ may be increased to } (0.75 + 0.011 \text{ l}_s/t)
$$

The formula applies to beams when $r/t \le 6$ and to deck when $r/t \le 7$, $2 \frac{1}{s}$ if ≤ 210 and $2s'w(A) < 3.5$. Further limitations applied to the use of the equation are: $\Theta \geq 45$ ^o $s_{w(A)} \leq 200$ t

The AISI approach is based on the evaluation of 58 IOF tests (8). The tests included 28 tests performed at the University of Missouri-Rolla and 30 tests performed at Cornell University.

Some additional tests have been conducted for the purpose of determining the effect of large bearing lengths on web crippling.

2.3. The University of Waterloo approach

A modification of the AISI approach was reached in a research project conducted at the University of Waterloo (4). The web crippling formula is:

 $R_d = 1.85 \cdot 9.0 t^2 f_{ty}(sin\theta)(1.0-0.001 \frac{s_{w(A)}}{t})(1.0+0.005 \frac{1}{s}(t)(1.0-0.075 \sqrt{\frac{1}{t}(t)})(1.0-0.1 f_{ty}/228))$

* Safety factor

The use of the equation is subject to the following limitations $s_{w(A)}$ /t \leq 200 *rlt* 10

The University of Waterloo approach is based on the evaluation of 90 IOF tests (4). These tests included 59 tests performed at the University of Waterloo and 31 tests performed at Cornell University.

The University of Waterloo approach was developed for deck (multi-web cold formed steel sections). In this study it is also applied to sections. This is reasonable because the AISI and BCCS use the same equations for sections and deck too.

Besides the Cornell test specimens were sections.

3. DIFFERENCES IN WEB CRIPPLING FORMULATIONS

The three web crippling prediction formulas can be written as

 $R_d = t^2C \cdot C_{f_{xy}} \cdot C_{r/t} \cdot C_{\hat{X}_s/t} \cdot C_{\hat{X}_{w(A)}/t} \cdot C_{\Theta}$ where $\mathsf{C}^$ is a constant c_f^{Ly} is a term depending on f_{ty} $C_{r/t}$
and is a term depending on r/t etc. C_f = 1 for f_{ty} = 400 (N/mm²) $C_{\text{r/t}}$ = 1 for r/t = 0 $Cl_{s/t}$ = 1 for $l_{s/t}$ = 200 $C_{s_{W(A)}^{'t}} = 1$ for $s_{W(A)}^{'t} = 40$

 C_{Θ} = 1 for Θ = 90[°]

In the three web crippling formulas these terms have different forms.

1. ECCS approach $C = 0.15 \sqrt{210\ 000} \sqrt{400 \cdot 2.5 \cdot 3.4} = 11686$ (N)

$$
C_{f_{xy}} = \sqrt{f_{ty}/400}
$$

\n
$$
C_{r/t} = 1 - 0.1 \sqrt{r/t}
$$

\n
$$
C_{g_{g}/t} = \frac{(0.5 + \sqrt{0.02 \text{ g}/t})}{2.5}
$$

\n
$$
C_{g_{g}/t} = \frac{1}{2.5}
$$

\n
$$
C_{g_{g}} = \frac{(2.4 + (0.90)^{2})}{3.4}
$$

\n
$$
C_{f_{xy}} = 1
$$

\n
$$
C_{g} = \frac{(2.4 + (0.90)^{2})}{3.4}
$$

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$$
C_{g} = \frac{(2.4 + (0.90)^{2})}{3.4}
$$

\n
$$
C_{g} = \frac{(2.4 + (0.90)^{2})}{3.4}
$$

2. AISI approach

$$
C = \frac{1.85}{33} \cdot 3336 \cdot 2.95 \cdot 275 = 15172
$$
 (N)

$$
C_{f_{ty}} = \frac{(1.23 f_{ty} - 0.22 f_{ty}^2 / 228)}{333.6}
$$

\n
$$
C_{r/t} = (1.06 - 0.06 r/t) \le 1
$$

\n
$$
C_{g_{s}/t} = \frac{(1 + 0.007 \, \text{kg}/t)}{2.95}
$$

\n
$$
= \frac{(0.75 + 0.011 \, \text{kg}/t)}{2.95}
$$

\nwhen $\text{kg}/t > 60$
\nwhen $\text{kg}/t > 60$
\nwhen $\text{kg}/t > 60$
\n
$$
\frac{(291 - 0.40 s_{w(A)}/t)}{2.95}
$$

\nwhen $\text{kg}/t > 60$
\n
$$
s_{w(A)}/t = \frac{(291 - 0.40 s_{w(A)}/t)}{275}
$$

\n
$$
C_{g_{t}} = 0.7 + 0.3 (0/90)^{2}
$$

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C_{g_{t}} = 0.7 + 0.3 (0/90)^{2}
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C_{g_{t}} = 0.7 + 0.3 (0/90)^{2}
$$

\n

3. Waterloo approach
\nC = 1.85.9.0.329.8.2.0.96 = 10543 (N)
\nC_f
\nC_{1/t} = 1.0 - 0.075
$$
\sqrt{r/t}
$$

\nC_{2s}/t =
$$
\frac{(1.0 + 0.005 \frac{0}{s}/t)}{2}
$$
\nC_{3w(A)}/t =
$$
\frac{(1.0 - 0.001 s_{w(A)}/t)}{0.96}
$$

 C_{θ} = $\sin \theta$

 $r/t \leq 10$

 $\sim 10^{-11}$

 $s_{w(A)}/t \leq 200$

 $\omega_{\rm{max}}$ and $\omega_{\rm{max}}$

 $\overline{90}$

80

 $\overline{70}$

 $\overline{60}$

.
8 (degrees) -

 $\overline{50}$

 $4\overline{0}$

Figure 4

10

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0.6

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10

 $\frac{1}{2}$

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\bullet \\
\end{array}$

 $c_{f_{y}}$ -

For a comparison of the terms see Figure 4.

The most striking difference between the three web crippling prediction formulas is that the BCCS approach. unlike the AlSI and Waterloo approaches. does not contain a web slenderness term.

The values of the term C_{r/t} of the AISI approach decrease at a much greater rate than the values of the BCCS and Waterloo approach.(See Figure 4).

The values of the terms $C_{\ell s/t}$ of the ECCS and Waterloo approach are almost identical for $\frac{1}{s}$ /t > 50.

The values of the term C_{Θ} do not show big differences.

In the Waterloo approach sin Θ was used because it is simpler to compute on a hand cdculator and has physical meaning as demonstrated in Figure S.

The constants C show rather big differences.

The constant C of the AlSI approach is about 45% higher than the constants C of the BCCS and Waterloo approach.

This may be caused by the relatively large reduction of the web crippling load according to the AISI approach for increasing r/t and $s_{wr(A)}/t$ and decreasing ℓ_q/t .

Figure 5

4. TBSTRBSULTS USED

4.1. STOCKHOLM TESTS (5)

1. Properties of test specimens

The configuration of the test specimens is shown in Figure 6. The dimensions and properties are given in Table 1.

2. Test setup

See Figure 7.

1'0 prevent spreading the tension flanges were connected with a strip in the middle of the span. It is assumed that the central bearing plate and the end supports had the same bearing length.

3. Load application

The loading speed was 20 kp per minute $(1 \text{ kp} = 9.807 \text{ N})$. Every 100th kp the load was kept constant for about 20 seconds to read the dial indicators (used to measure the deformations). Circa *300* kp before failure the dial indicators were read every 50th kp.

4. Determination of the test load

The test load was taken as the largest load the section was able to sustain.

This criterion was suitable for the sections (with small bending radii) showing small deformations at failure. Sections with large bending radii failed with large deformations. These deformations were too large to be accepted in practice.

Yet, lacking a better failure criterion, for these tests too the test load R_{test} was taken as

the largest load the section was able to sustain.

Bach type of test was performed twice.

When the test loads differed more than 5% a third test was performed.

5. Failure mode

Several types of failure occurred during the testing:

- failure in the middle of the span (type M, Figure 8)
- failure at the end supports (type B, Figure 8)
- failure by sway of the whole section (type S, Figure 8)
- failure of the top flange over the whole length of the section (type V, Figure 8)
- failure in the middle of the span after failure at the end supports and stiffening the section at the end supports with a wooden block between the top flange and the bearing plate (type M₀)

The failure types S and V do not occur in practice. In this report only tests with failure mode M are included.

6. Moment ratio

The moment ratio $\text{M}_{\texttt{test}}/\text{M}_\text{d}$ is not given in Reference 5.

It is reported that the span length was taken so short that the influence of the bending moment on the ultimate web crippling load was negligible. However. using the ECCS-1983 to calculate the ultimate moment capacity M_d it appears that the moment ratios M_{test}/M_d range from 0.28 to 0.48.

 M_{test} was computed by the equation $M_{\text{test}} = R_{\text{test}} (2 - 2_s)/4$.

According to Baehre (12) interaction is negligible for $M/M_d < 0.3$. Hence it is doubtful whether all the Stockholm tests are web crippling tests. Some tests are probably interaction tests.

Since the ECCS approach was based on the Stockholm tests, the tests with moments ratios larger than 0.3 are also included in this study.

7. Test results

See Table 6 Chapter 5.

Table 1.
PROPERTIES OF TEST GPECIMENS, STOCKHOLM TESTS

 ~ 10

 ~ 10

 $\sim 10^{11}$

 $\mathcal{L}(\mathcal{L}(\mathcal{L}))$ and $\mathcal{L}(\mathcal{L}(\mathcal{L}))$. The contribution of the contribution of

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Figure 9

4.2. CORNELL TESTS

A complete description of these tests is reputed to have been given in Reference 8. Since this was not available References 4, Sand 9 have been used.

1. Properties of test specimens

The test sections used in the Cornell Study are shown in Figure 9. The dimensions and properties are given in Table 2. Only the overall length of the stiffeners is given, the dimensions of the curved and straight portions of the stiffeners were not available.

2. Test setup

See Figure 10.

3. Load application

4. Determination of the test load

5. Failure mode

During the progress of a test at moderately high loads but still before failure the webs deflected inwards out of their plane (see Figure 11).

This deflections were relatively small and extended throughout the depth of a web in the vicinity of the external load. At failure, there was a sudden bulging of the web with large deflections under and in the immediate vicinity of the central bearing plate, as shown in Figure 12.

6. Moment ratio

According to Reference 4 the moment ratio M_{test}/M_d was less than 0.3.

The AISI-1980 Specification was used to compute the ultimate moment capacity M_d . The test moment M_{test} was computed by the equation

 $M_{\text{test}} = R_{\text{test}} \frac{f_{\text{test}}}{(2 - 2)}$ / 4.

7. Test results

See Table 7 Chapter 5.

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TobIe 2. PROPERTIES OF TEST SPECIMENS, CORNELL TESTS

 $\mathcal{L}^{\text{max}}_{\text{max}}$, where $\mathcal{L}^{\text{max}}_{\text{max}}$

 $\mathcal{L}(\mathcal{L}(\mathcal{L}^{\mathcal{L}}))$. The contract of $\mathcal{L}(\mathcal{L}^{\mathcal{L}})$

 $\label{eq:2.1} \mathcal{L}(\mathcal{L}^{\mathcal{A}}_{\mathcal{A}}(\mathcal{A}^{\mathcal{A}}_{\mathcal{A}})) = \mathcal{L}(\mathcal{L}^{\mathcal{A}}_{\mathcal{A}}(\mathcal{A}^{\mathcal{A}}_{\mathcal{A}})) = \mathcal{L}(\mathcal{L}^{\mathcal{A}}_{\mathcal{A}}(\mathcal{A}^{\mathcal{A}}_{\mathcal{A}})) = \mathcal{L}(\mathcal{L}^{\mathcal{A}}_{\mathcal{A}}(\mathcal{A}^{\mathcal{A}}_{\mathcal{A}})) = \mathcal{L}(\mathcal{L}^{\mathcal{A}}$

 $\mathcal{L}_{\mathcal{A}}$

 \mathcal{A}

4.3. MISSOURI-ROLLA TESTS (8)

1. Properties of test specimens

Three different types of cross-sectional configurations of beam specimen were used. The first type consisted of two channel sections (section SU, Figure 13). The channels were braced by 19.05 x 19.05 x 3.175 mm angles at the compression flange and 3.175×19.05 rectangular bars at the tension flange.

Self tapping screws were used for connections. The intervals of braces were provided such that the lateral buckling of each individual channel section was prevented.

The second type of beam specimens (section MSU, Figure 13) was fabricated in the same manner as the first type except that the beam flanges were connected to the bearing plates by machine bolts. The purpose of this arrangement was to evaluate the possible improvement of web crippling loads resulting from the restraint provided by beam flanges when they are connected to bearing plates by machine bolts.

The third type consisted of two channel sections with unstiffened flanges (sections USU, Figure 13). The braces of the tension and compression flanges were provided in the same manner as the first type. The dimensions and properties are given in Table 3.

2. Test setup

See Figure 14.

3. Load application

During the test the loads were applied by an increment of 15% of the predicted ultimate load. The duration for each load increment was approximately five minutes.

4. Determination of the test load

After failure of each specimen the ultimate load for web crippling was recorded.

5. Fallure mode

All fallure modes were consistent. Failure occurred in the web underneath the bearing plate.

However, the maximum deformation is located at about $%$ 4 of the depth measured from the top flange of the specimen. See Figure 15.

6. Moment ratio

The moment ratio M_{test} / M_d was less than 0.3.

The AISI-1968 Specification was used to compute the ultimate moment capacity M_d . Backcalculating from the tables in Reference 8 it appears that M_{test} was computed by the equation

```
M_{test} = R_{test} 2/4.
```
7. Test results

See Table 8 Chapter 5.

 $\mathbb{R}^{N\times N}$

 $\hat{\mathcal{A}}$

Figure 14

Figure 15

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 $\frac{1}{\sqrt{2}}$

 $\overline{}$

Table 3.
PROPERTIES OF TEST SPECIMENS; MISSOURI-ROLLA TESTS

 \mathcal{L}^{max} and \mathcal{L}^{max}

 $\hat{\varphi}$, $\hat{\varphi}$

 $\frac{1}{\sqrt{2}}$

 $\ddot{}$

29

 \sim

 $\frac{1}{2}$

 $\sim 10^6$

 $\mathcal{A}^{\mathcal{A}}$

 $\overline{\sim}$ 100

 $\frac{1}{50}$

 $\frac{1}{250}$

 $\ddot{}$

 $s_w(E) = 85 - 200$

1. Properties of test specimens

The test specimens consisted of profiles specially fabricated at the University of Waterloo, as shown in Figure 16. They were brake-formed using ASTM A611 Grade C steel with a minimum garanteed yield stress of 228 (N/mm²). Their dimensions and properties are given in Table 4.

2. Test setup

See Figure 17.

Relatively large end bearing plates were used to insure that failure would occur at the interior load position. Spreading was prevented by bolting the lower flanges to the bearing plate.

3. Load application

The load was applied to the test specimens by means of a 45 kN capacity hydraulic jack through a hand operated hydraulic pump. The rate of load application was uniform up to the failure load.

4. Determination of the test load

The test load R_{test} was taken as the largest load the specimen was able to sustain after which a sudden decrease in load was experienced.

5. Failure mode

See Figure 18. The failure region for the tests was a localized failure which was restricted to the area under the bearing plate and immediately adjacent to it.

6. Moment ratio

The moment ratio M_{test} / M_d was less than 0.3. The AISI-1980 Specification was used to compute the ultimate moment capacity M_A . $M_{test} = R_{test} (2 - 2_s) / 4.$

7. Test results

See Table 9 Chapter 5.

IQNIA 4.
PROPERTIES OF TEST SPECIMENS, UATERLOO TESTS

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 $\hat{\boldsymbol{\gamma}}$

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 $\overline{32}$

Table 4.
PROPERTIES OF TEST SPECIMENS, WATERLOO TESTS

 $\hat{\mathcal{L}}$

 $\frac{1}{2}$ \mathbb{R}^2

32

 \mathbb{Z}^2

 $\ddot{}$

Table 4.(Continued)
PROPERTIES OF TEST SPECIMENS; UATERLOO TESTS

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 $\ddot{}$

 $\ddot{\theta}$

 $\bar{\phi}$.

 $\ddot{}$

J.

 $\ddot{}$

 $\ddot{}$

 $\overline{}$

 $\hat{\boldsymbol{\beta}}$

 $\ddot{}$

 $\ddot{}$

Figure 20.

Figure 21

1. Properties of test specimens

All the test sheets consisted of three full corrugations as shown in Figure 19. The dimensions and properties of the sheets are given in Table 5. The sheets were roll-formed by Hoesch (Germany): type PC 750 - 55 - 0.71; distributor Prince Cladding.

2. Test setup.

See Figure 20.

 $2 = 2_s + s_{w(E)}$

The clear distance between the bearing edges of the central bearing plate and the end supports is smaller than 1.5 $s_{wt(A)}$. This was necessary for the limitation of the bending moment.

3. Load application

For each sheet the load was applied in more than 5 equal steps upto 90% of the ultimate load. When the deflection in the middle of the span was increasing at constant load at least 2 minutes were taken before the new load was applied.

The sheets A-3, B-3, E-3 and D-1 were loaded upto the characteristic load (ultimate load devided by 1.5). Then the load was removed and afterwards the sheets were loaded to failure as described above.

4. Determination of the test load

Because of the large deformation of the compression flange at failure (up to 17 mm) the test load was corrected to be the load causing a flange deformation δ of $h_{\mu\nu}/10$ (see Figure $21.$

5. Failure mode

See Figure 21.

6. Moment ratio

The maximum moment ratio M_{test} / M_d was 0.24. The ECCS - part 1 - draft - 1980 was used to calculate the ultimate moment capacity M_A .

The test moment M_{test} was calculated by the equation

$$
M_{\text{test}} = \frac{R_{\text{test}}}{4}
$$

7. Test results

See Table 10 Chapter 5.

TODIO 5.
Propertieb of test specimens, eindhoven tests

 $\frac{1}{4}$

 \sim \sim

 $\frac{1}{2}$

 $\ddot{}$

36

 $\hat{\boldsymbol{\gamma}}$

 $\ddot{}$

 $\ddot{}$

 $\hat{\mathcal{A}}$

للمنفر

 $\ddot{}$

5. COMPARISON OF EXPERIMENTAL AND COMPUTED RESULTS

The test loads R_{test} are compared with the computed ultimate web crippling I RECCS' RAISI and R_{Wat}:

The test loads R_{test} and the load ratios R_{test}/R_{ECCS}, R_{test}/R_{AISI} and R_{test}/R_{Wal} listed in the Tables 6, 7, 8, 9 and 10.

A load ratio R_{test}/R_d less than 1 means that the applied web crippling formulation l an unsafe prediction for the ultimate web crippling load R_A .

For each test series the mean, standard deviation and coefficient of variation of the ratios were calculated. A load ratio marked with * means that the test is not withir limits of the applied web crippling prediction formula. These load ratios are not incl in the computation of the mean, standard deviation and coefficient of variation. In o to include tests that only just fail the limitations (as given in Chapter 2) these limitat are enlarged by 5%. The limitations consist of restrictions to the ratios $\frac{9}{5}$ /s_w(A). $\frac{9}{5}$ /t

and $s_{w(a)}$ /t.

These ratios are also shown in the Tables 6, 7, 8, 9 and 10.

An overview of the computed means, standard deviations and coefficients of variatio given in Table 11.

The load ratios R_{test}/R_{ECCS}' R_{test}/R_{AISI} and R_{test}/R_{Wat}, are plotted against some parameters in Figures 22 to 30.

The dashed line $(R_{test}/R_d = 1)$ represents perfect correlation between R_{test} and R_d .

The plots shown in Figures 22 to 30 are a selection of the available plots. Similar plots be made for every parameter.

From Figure 22 it can be seen that the ECCS approach can probably be improved introducing a web slenderness term.

For the comparison of the web crippling formulations the coefficient of variation is most important.

The coefficient of variation, which can be seen as the standard deviation for a mean o is a measure for the scattering of the load ratios. The mean of the load ratios can ea be corrected by multiplying the web crippling prediction formulas with a constant. The AISI and Waterloo approaches have the same coefficient of variation for all the

results together.

The ECCS approach has a larger coefficient of variation. Since the Waterloo approach a wider range of application it can be concluded that the Waterloo approach gives the b a which lange of whenever the comproach does not give the best results for each test set individually.

maividually.
From Table 11 it can be seen that there are significant differences between the t series.

The Waterloo tests show the lowest mean of the ratios R_{test}/R_d for all the web cripp! formulas evaluated This may be due to the test setup or load application.

Because the Stockholm tests had relatively large bending moments the BCCS appro was expected to give a relatively safe prediction of the web crippling load for the ot test series. This is not the case. Nor do the AISI and Waterloo approaches give a relative unsafe prediction of the web crippling load for the Stockholm tests.

Apparently the web crippling prediction formulas give a prediction of the mean crippling load.

cripping ioad.
When a characteristic web crippling load is required (i.e. a web crippling load which has When a characteristic web cripping ---- ------
certain specified probability of being achieved), the web crippling equations should multiplied by a constant K.

Assuming a normal distribution of the load ratios, this constant K can be calculated from the given mean m and standard deviation s by the equation

 $\bar{\epsilon}$

 $\ddot{}$

 \sim

 \mathbb{R}^2

$$
K = \frac{1}{m - x \cdot s}
$$

 $\ddot{}$

 \mathcal{A}

 $\mathcal{A}^{\mathcal{A}}$

where x depends on the required probability.

Ť

 $\hat{\boldsymbol{\beta}}$ $\hat{\mathcal{E}}$.

 $\ddot{}$

 $\phi\to\phi$

Table 6.(Continued)
TEST RESULT8, STOCKHOLM TESTS

 $\frac{1}{2}$

J.

 $\frac{1}{2}$

 \cdot

 $\mathcal{A}^{\mathcal{A}}$ $\ddot{}$

 $\overline{\mathcal{D}}$

 \sim

Values followed by * not included in computation of mean, standard deviation and coefficient of variation.
(See Chopter 5)

 $\ddot{}$

 $\ddot{}$

 $\ddot{}$

 $\ddot{}$

Table 7.
TEST RESULTS; CORNELL TESTS

 $\frac{1}{2}$

 $\hat{\mathcal{L}}$

 $\ddot{\cdot}$

values followed by * not included in computation of mean, standord deviation and coefficient of variation.
(See Chapter 5)

 $\ddot{}$

 $\frac{1}{2}$

 $\label{eq:2} \frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{1}{\sqrt{2}}\sum_{i=1}^{n-1}\frac{$

 $\hat{\mathcal{L}}$,

Table 8.
TEST RESULTS, MISSOURI-ROLLA TESTS

 $\ddot{}$

 $\hat{\mathcal{A}}$

 $\hat{\mathbf{z}}$, $\hat{\mathbf{z}}$, $\hat{\mathbf{z}}$

 $\ddot{}$

 $\ddot{}$

 $\ddot{}$

 $\begin{array}{c} \bullet \\ \bullet \\ \bullet \end{array}$

 $\ddot{}$

Values followed by * not included in computation of mean, standard deviation and coefficient of variation.
(See Chapter 5)

 $\frac{1}{2}$

 $\hat{\mathcal{L}}$

 $\ddot{}$

 \mathbf{r}

 $\frac{d\mathbf{r}}{d\mathbf{r}} = \frac{1}{2} \mathbf{r} \mathbf{r}$

 $\frac{1}{2}$

 \overline{a}

 $\hat{\mathcal{S}}$

 $\ddot{}$ l,

 $\frac{1}{2}$

 $\ddot{}$

 $\ddot{\cdot}$

 $\hat{\mathcal{L}}$

 $\overline{\partial} \overline{\partial} \overline{\partial}$ and $\overline{\partial} \overline{\partial} \overline{\partial}$

Values followed by * not included in computation of mean, standard deviation and coefficient of variation.
(See Chapter 5)

l.

 $\label{eq:2.1} \frac{1}{2} \sum_{i=1}^n \frac{1}{2} \sum_{j=1}^n \frac{$

 $\frac{1}{2}$

 $\ddot{}$

Table 10.
Test resulta, eindhoven tests

Values followed by * not included in computation of mean, standard deviation and coefficient of variation.
(See Chopter 5) $\hat{\phi}$

 $\frac{1}{2}$

Table 11.
COMPARISON OF TESTRESULTS

 $\mathcal{A}^{\mathcal{A}}$

 \sim \sim

 \bar{z}

 $\hat{\mathcal{L}}$ is

 $\label{eq:2} \frac{1}{\sqrt{2}}\int_{0}^{\sqrt{2}}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^{2}dx\leq\frac{1}{\sqrt{2}}\int_{0}^{\sqrt{2}}\frac{1}{\sqrt{2}}dx$

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6. CONCLUSIONS

The web crippling prediction formulas evaluated do not give satisfactionary results consistently.

Maybe this is due to the fact that the formulas have been based on test results only.

In the formulas it is assumed that the influences of the parameters r/t, $s_{w(A)}$ / t, ℓ_s / t, In the formulas it is assumed that the influences of the parameters r/t, $s_{w(A)}$ / t, ℓ_s f_{ty} and Θ on the web crippling load are independent of each other.

This assumption is not based on theoretical analysis and is probably incorrect. It may be noted that the web crippling prediction formula according to the AISI-1968 Specification included a term $2_g/t$ $s_{w(A)}/t$.

The three web crippling formulations give a prediction of the mean failure load, not a characteristic failure load.

Mainly due to the differences in the basic constants C the calculated results may differ up

Of the formulations evaluated the Waterloo approach gives the best results and the ECCS approach the worst.

This may be caused by the fact that the ECCS approach lacks a web slenderness term.

The test setup, load application and determination of the failure load are not the same in all the test series.

This might explain the differences in the test results per series. Special attention should be paid to the fact that a section sometimes fails with unacceptable large deformations. This failure mode is mentioned with the Stockholm tests and with the Eindhoven tests.

It is not clear in what situations this failure mode occurs.

To get a better understanding of web crippling additional research is required.

This research should concentrate on theoretical analysis.

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